

# Last Place Aversion in Queues

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## Abstract:

This paper documents the effects of last place aversion in queues and its implications for customer experiences and behaviors, as well as for operating performance. An observational analysis of customers queuing at a grocery store, and four online studies in which participants waited in virtual queues, revealed that waiting in last place diminishes wait satisfaction while increasing the probabilities of switching and abandoning queues, with detrimental implications for queuing systems. The research suggests that last place aversion can lead to maladaptive customer behaviors – switching behaviors that increase wait times, and abandoning when the benefits of waiting are most pronounced. The results indicate that this behavior is partially explained by the inability to make a downward social comparison; namely, when no one is behind a queuing individual, that person is less certain that continuing to wait is worthwhile. Furthermore, this paper provides evidence that queue transparency is an effective service design lever that managers can use to reduce the deleterious effects of last place aversion in queues. When people can't see that they're in last place, the behavioral effects of last place aversion are nullified, and when they can see that they're not in last place, the tendency to renege is greatly diminished. Finally, a system-level experiment, in which pairs of queues were created and analyzed, reveals that when the effects of last place aversion are addressed, overall abandonment decreases, such that with equivalent arrival and service rates, total service provision can be increased.

*[Keywords: Behavioral operations, queues, reference effects, last place aversion, transparency]*

## 1. Introduction

Queues are everywhere. We stand in them at airports, banks, coffee shops, deli counters, gas stations, grocery stores, hospitals, hotels, nightclubs, restaurants, ticket stands, and practically anywhere else that service is physically delivered. We wait in virtual queues as well – when we call customer support, hail an on-demand service, or order food online. By one estimate, Americans spend 37 billion hours waiting in queues each year (Stone 2012), which equates to roughly 118 hours for every man, woman, and child in the country. Since the practice of waiting one's turn and the discipline of first-come, first-served are social norms that are instilled in us at a very young age, we have reason to be repelled by long queues – the more people ahead of us, the longer we'll have to wait for service (Little 1961). However, the results of this paper indicate that it's not just how long the line is in front of us, but also how short the line is behind us – in particular, *whether we're in last place* – that intensifies the pain of waiting and influences our behaviors in queues, with adverse performance consequences for service operations.

Prior research has identified the effect of the number of people waiting behind a queuing individual on that individual's behavior, noting that as the number of people behind her increases, the probability that she will renege falls (Zhou and Soman 2003). This paper builds on that work by investigating the extent to which this effect may be driven by a discontinuity in peoples' perceptions and behaviors when they are in

*last place*. Recent research outside the realm of queues has shown that people are “last place averse,” altering their preferences and behaviors in order to avoid being in last place (Kuziemko et al. 2014). This tendency has been shown in laboratory experiments and in survey data, illustrating how last place aversion affects preferences over redistribution. For example, people making just above the minimum wage are the most likely to oppose increasing it, since doing so could cause them to fall into last place themselves (Kuziemko et al. 2014). In many contexts, last place is ambiguous, since it is difficult to assess where in a distribution an individual perceives herself to be, and which distribution is at the top of mind. However, every queue has an end, and with it, an identifiable individual who is in last place. Research on last place aversion in queues, therefore, holds important promise for the field of operations management. To the extent that an aversion to being in last place discontinuously alters our preferences and behaviors, then the fleeting period of time that individuals spend at the end of the line might cause them to behave in ways that are myopic and counterproductive for themselves and the operation. Moreover, the observability of who is last in queues makes the last-place individual a ready target for operational interventions designed to diminish their pain of waiting, making insights on last place aversion actionable for practitioners.

This paper contributes to the operations literature by documenting the customer and system-level effects of last place aversion in queues, distinguishing it from the linear effect of the number of people waiting behind a queuing individual (Zhou and Soman 2003), as well as from other drivers of queuing performance. At the customer level, this paper shows that after controlling for other factors, queuing in last place can diminish wait satisfaction and increase perceptions of wait duration, while increasing the probability the customer will disadvantageously switch queues or renege from the queue altogether. Individuals in last place were found to be nearly two and a half times more likely than those with a single person waiting behind them to switch queues, after controlling for other factors that should rationally influence the decision to switch, such as the relative states and service rates of both queues, and in the absence of visual information that could aid them in forecasting which line might be faster. Indeed, in this setting, last place participants who switched queues were found to wait longer on average than those who did not, and as a consequence reported being less satisfied with their waiting experiences. Similarly, after controlling for other factors, individuals in last place who had the most to gain from waiting were found to be more than three times more likely to abandon queues than those who had a single person waiting behind them – behavior that in practice undermines customer utility and firm profits. The results provide evidence that this tendency to renege is due in part to the last place individual’s inability to make a downward social comparison, raising the question, “if nobody is willing to wait longer than me, then is staying in this queue worthwhile?” Consistently, the results further show how queue transparency can be used as an effective design lever to stave off the negative effects of last place aversion in queues. For example, the results suggest that a call center that emphasizes what’s taking place in front of the customer when they are in last

place, and that additionally reveals the growing queue behind them when they're not, should see a reduction in defections.

Finally, the paper demonstrates that these customer-level effects have important system-level consequences. Experimentally eliminating the effects of last place aversion in the final study, by ensuring that no waiting participant ever perceives themselves to be in last place, reduces defections by 43.5%. With equivalent arrival and service rates, queues without last place aversion sustained a higher peak queue length and longer wait times, resulting in 12.5% more people being served over time. Taken together, these results reveal last place aversion to be a consequential and systematic bias that undermines the experiences and behaviors of customers, and the performance of queueing systems, which can be proactively managed through operational design.

## **2. The psychology of queuing and last place aversion**

Although queuing is only the gateway to many service operations, it can wield considerable influence over how services are experienced, or whether they are experienced at all. Queuing imposes psychological costs on customers (Carmon, Shanthikumar, and Carmon 1995), with stress building as a marginally increasing function of the wait time (Osuna 1985). Consequently, the nature and duration of a customer's wait is an important driver of service satisfaction and loyalty (Taylor 1994; Hui and Tse 1996). Moreover, the dynamics of the queues encountered by customers influence their competing impulses to abandon or persist in the interaction, affecting customer utility and firm profitability. Experimental evidence suggests that customers often make suboptimal abandonment decisions – staying too long in queues they should have abandoned, and abandoning queues in which they should have remained (Janakiraman, Meyer, and Hoch 2011). Hence, understanding the drivers of customers' experiences and behaviors in queues is of vital significance to operations management.

A considerable stream of research on the psychology of queuing has enumerated situational and design-based factors that influence the experiences and behaviors of customers in queues, offering the promise that waiting experiences can be improved and customer abandonment can be reduced through active management (Allon and Kremer 2019; Chase and Dasu 2001; Cook et al. 2002; Norman 2009). Since people treat their time as a precious commodity (Becker 1965) and are risk averse in their decisions regarding its use (Leclerc, Schmidt, and Dubé 1995), this research has largely focused on how to set conditions that diminish the perceived costs and maximize the perceived benefits of waiting. No prior work in this rich stream of literature has directly explored how the perceptual and behavioral implications of being last may differ discontinuously from the implications of occupying other positions in the line.

However, it's plausible that the costs of waiting are never higher, and the perceived benefits are never lower than when one is in last place.

From a cost perspective, the visual cue of a long line in front of the last place customer makes the costs of waiting salient, and is a particularly potent driver of abandonment (Lu, Olivares, and Schilkrut 2013). Even if the queue discipline is just, the inability of the newest arrival to know when each party in front of her arrived, and how the queue formed, may trigger concerns about the inequity of relative throughput times (Zhou and Soman 2008). Moreover, having observed and acquired the least information about the queue's dynamics, last place customers are likely to experience the most uncertainty about the wait duration, while perceiving the least evidence of their progress, amplifying anxiety and their perceptions of the cost of waiting (Osuna 1985).

The perceived benefits of waiting may feel similarly unfavorable at the end of the line. Operational transparency, enabling customers to observe the service process, has been shown to increase customer perceptions of service value and reduce their sensitivity to waiting (Buell, Kim, and Tsay 2017; Buell and Norton 2011). Since in physical queuing environments the service process typically resides at the head of a line, it's often the case that the last place customer lacks operational transparency, undermining their perceptions of the benefits of waiting for service. Furthermore, although a long queue ahead may signal that the service is worth waiting for (Kremer and Debo 2016; Lu, Olivares, and Schilkrut 2013; Debo, Parlour, and Rajan 2012; Veeraraghavan and Debo 2009), the absence of anyone with a subordinated position in the line means there's no visible evidence that anyone's willing to wait as long as the last place customer.

Consistent with these observations, although no prior work has systematically investigated the impact of last place aversion in queues, the number of people behind in a line has been shown to influence abandonment probabilities. In a series of experiments, Zhou and Soman (2003) demonstrate that customers are sensitive to the number of people in line behind them, and that as the number of people behind increases, the affective state of the customer rises, which in turn causes them to be less likely to renege (Zhou and Soman 2003). The authors highlight downward social comparisons as an explanation for the effect, which builds on a rich stream of the social psychology literature. People compare themselves to others in social situations (Festinger 1954; Buunk and Gibbons 2007), and those experiencing negative affect can enhance their subjective wellbeing by comparing themselves to someone who is less fortunate than they are (Wills 1981). Related ideas have also been explored in the operations literature, where behind-averse and ahead-seeking behaviors have been shown to have distinct implications for how systems should be designed to optimize performance and utility (Roels and Su 2014).

To the extent that downward social comparisons improve affect and diminish abandonments, one might expect that the complete inability to make a downward social comparison may cause those in last place to feel the pain of waiting especially acutely, yielding a discontinuity in affect that leads to perceptions and behaviors that differ from others waiting near the end of the line. Prior research of customers waiting in queues suggests that such a discontinuity might exist – for example, people in last place in a line are least likely to accept a payment to allow someone to enter the line in front of them (Oberholzer-Gee 2006). The presence of such a discontinuity could be practically consequential, as a readily-identifiable last place customer could be targeted with systematic interventions to improve their experience and the performance of the service operation.

This proposition, that customer experiences and behaviors may vary discontinuously at the end of a queue, is consistent with recent behavioral economics research that shows people are last place averse. People are more likely to accept risky gambles, are less likely to exhibit generosity, and are more likely to support policies that are against their own best interests, when doing so gets them out of, or helps them avoid, being in last place (Kuziemko et al. 2014). Furthermore, the notion of last place aversion is consistent with behavioral patterns empirically observed in other non-queuing contexts. For example, emergency room doctors who receive public relative performance feedback are most likely to improve when it becomes transparent that their patients' average length of stay is at the bottom of the distribution relative to those of the patients of their colleagues (Song et al. 2018). Diners in restaurants exhibit an aversion to ordering the cheapest wine on the menu – with preferences clustering around the second cheapest option (McFadden 1999). The pain of rejection stings most when one is picked last in gym class (Weir 2012). Likewise, it is reasonable to hypothesize that the phenomenon of last place aversion will carry over to queues, resulting in discontinuously aversive experiences for last place customers:

*Hypothesis 1 (H1):* Individuals in last place are less satisfied with their waits than those waiting with a single person behind them.

If being in last place leads to waits that are acutely dissatisfying, one can further hypothesize that individuals queuing in last place will be more likely to take action to reduce or completely forestall the time they spend waiting:

*Hypothesis 2 (H2):* Individuals in last place are more likely to switch queues than those waiting with a single person behind them.

*Hypothesis 3 (H3):* Individuals in last place are more likely to abandon queues than those waiting with a single person behind them.

To the extent that last place aversion influences the experiences and behaviors of queuing customers, diminishing their satisfaction and reducing the probability that they will remain in the queue, one can

hypothesize by extension that its individual-level effects may propagate, having system-level consequences that hinder service performance. Namely, if customers experiencing last place aversion are more likely to abandon queues, then the presence of last place aversion may reduce the net number of customers who are ultimately served by a queuing system.<sup>1</sup>

*Hypothesis 4 (H4):* Last place aversion reduces the number of customers who receive service in a queuing system.

### 3. Presentation of studies

Through five studies, conducted in physical and virtual queuing environments, this paper provides evidence of the impact of last place aversion on the experiences and behaviors of people waiting in queues, and the resulting consequences for service performance. In many contexts, ‘last place’ is an equivocal concept, but in queues, it is readily identifiable. A person is defined to be in last place when there is no one behind them in the queue, and the studies that follow explore the differential effects of being last, relative to other positions, on peoples’ perceptions and behaviors, and on queue and service performance.

Study 1 is an observational analysis of the behavior of 284 customers awaiting service in a grocery store checkout lane. Studies 2-5 leverage an online queuing environment, which enabled the manipulation and careful instrumentation of dynamics experienced and exhibited by queuing individuals. Study 2 explores the effects of last place aversion on queuing perceptions (H1). Study 3 investigates how last place aversion affects switching behaviors and subsequent queuing experiences (H2). Study 4 analyzes how last place aversion in queues affects reneging behaviors (H3), tests the moderating roles of queue transparency and discretion, and explores the perception that waiting is worthwhile as an underlying behavioral mechanism for the effects of last place aversion in queues. Study 5 explores the system-level consequences of last place aversion for queue and service performance (H4). In the presentation of each of the studies that follow, the paper reports how sample sizes were determined, all data exclusions, all manipulations, and all measures collected (Simmons, Nelson, and Simonsohn 2012).

#### 3.1 Study 1: Observational analysis

As an initial test of the conjecture that last place aversion substantively affects queuing behavior, 284 customers awaiting service in a grocery store checkout lane were observed. Over a five-hour period, the

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<sup>1</sup> Such an outcome would not be mechanical. Namely, if in the absence of last place aversion, fewer customers defected from the queue while in last place, then the resulting queue would be longer in length and have longer wait times, characteristics which themselves may drive abandonment.

study focused on a single, centrally located queue, which had adjacent lanes on either side, which for the duration of the observational period were continuously open and providing service (**Figure 1**). The sample represents all customers who joined the queue during the period of observation. Of particular interest was under which conditions would customers switch from the focal queue to a non-focal one – and in particular, whether being in last place would prove to be a significant factor.



**Figure 1:** Setting and queue orientation for observational analysis (Study 1).

*3.1.1. Data.* Data were collected on the hour, minute, and second that each customer joined the focal queue, completed the checkout process, and if applicable, switched to a non-focal queue. Using these three data points from consecutive customer observations, the state of the queue for each second of each customer's queuing experience was imputed. The resulting 24,210 customer-second level observations included the number of seconds since the customer joined the queue, a running tally of the time the clerk had spent processing the current customer, the cycle time of the last customer to be served, the number of people ahead of the customer in the queue, the number of people behind the customer in the queue, and whether the customer was in last place.

The analysis focused on behaviors during the 9,440 observations in which customers were waiting for service, but had not yet received it. On average, these waiting customers had 1.48 people in front of them in line ( $SD = 0.850$ ) and 0.47 people behind them ( $SD = 0.850$ ). Customers who didn't switch queues ( $N = 139$ ) spent an average of 124.36 seconds in line ( $SD = 77.14$ ), 53.57 seconds waiting for service ( $SD =$

49.80) and 70.79 seconds being served ( $SD = 51.68$ ). Customers who did switch queues ( $N = 71$ ), did so after waiting an average of 26.28 seconds ( $SD = 40.83$ ).

*3.1.2. Empirical strategy.* As depicted in Equation (1), switching probabilities,  $\Pr(SWITCH_{it})$ , for customer  $i$  at second  $t$  were modeled as a function of positional and queue-related factors, using a random effects logistic regression to account for heterogeneous customer types, and with robust standard errors clustered by customer, to address serial correlation:

$$\text{logit}\left[\Pr(SWITCH_{it})\right] = \alpha_0 + \alpha_1 BEHIND_{it} + \alpha_2 AHEAD_{it} + \alpha_3 AHEAD_{it}^2 + \alpha_4 WAIT_{it} + \alpha_5 WAIT_{it}^2 + \alpha_6 CURRENT_{it} + \alpha_7 CURRENT_{it}^2 + \alpha_8 CYCLE_{it} + \epsilon_{it} \quad (1)$$

In the specification above,  $BEHIND_{it}$ ,  $AHEAD_{it}$ , and  $AHEAD_{it}^2$  are continuous variables, counting the number of customers ahead and behind the focal customer, respectively.  $WAIT_{it}$  and  $WAIT_{it}^2$  denote the number of seconds since the focal customer entered the queue.  $CURRENT_{it}$  and  $CURRENT_{it}^2$  capture the processing time of the current customer receiving service, and  $CYCLE_{it}$  denotes the cycle time of the most recent customer to complete service. Of particular interest was whether, after controlling for other factors, customers in last place would be more likely to switch to a non-focal queue than customers waiting in other parts of the queue. As such, Equation (2) introduces indicator variables for whether the focal customer was in last place,  $LAST_{it}$ , and whether the focal customer had *more than one* person waiting behind her,  $MTONE_{it}$ .

$$\text{logit}\left[\Pr(SWITCH_{it})\right] = \beta_0 + \beta_1 LAST_{it} + \beta_2 MTONE_{it} + \beta_3 AHEAD_{it} + \beta_4 AHEAD_{it}^2 + \beta_5 WAIT_{it} + \beta_6 WAIT_{it}^2 + \beta_7 CURRENT_{it} + \beta_8 CURRENT_{it}^2 + \beta_9 CYCLE_{it} + \epsilon_{it} \quad (2)$$

By setting one waiting customer behind as the omitted category, this specification facilitates comparing the switching probabilities of customers in last place with those of customers with a single person waiting behind them.

*3.1.3. Analysis and results.* **Table 1** reveals that the pattern of results from this observational analysis is consistent with prior theory and empirical results about customer dynamics in queues. Column (1) demonstrates that consistent with the sunk cost fallacy, the longer customers waited, the less likely they were to switch from the focal queue ( $\alpha = -0.026$ ,  $P < 0.01$ ), though at a diminishing rate ( $\alpha = 0.0001$ ,  $P < 0.01$ ). Customers were more likely to switch queues when there were more people in front of them ( $\alpha = 1.107$ ,  $P < 0.05$ ), but at a decreasing rate ( $\alpha = -0.203$ ,  $P < 0.05$ ). Customers appeared insensitive to current customer processing time ( $\alpha = -0.008$ ,  $P = \text{NS}$ ), except in the case of unusually long duration transactions ( $\alpha = 0.00004$ ,  $P < 0.05$ ). Consistent with prior research (Zhou and Soman 2003), customers were less likely to switch when there were more people waiting behind them in the queue ( $\alpha = -1.085$ ,  $P < 0.05$ ). However, Column



(2) uses indicator variables to disaggregate this effect. It reveals that holding all else constant, relative to having a single person waiting in line behind them, customers were 3.5 times more likely to switch queues when they were in last place ( $\beta=1.255$ ,  $P < 0.05$ ).

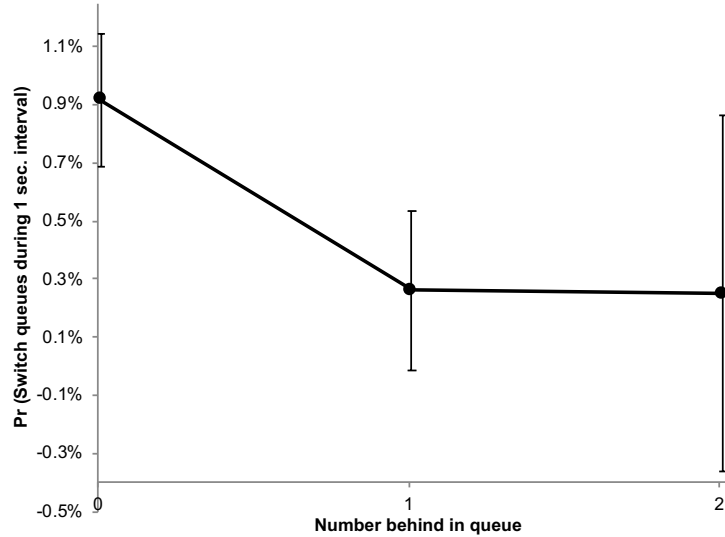
	(1)	(2)
	Pr(Switch)	Pr(Switch)
Number behind customer	-1.085** (0.449)	
Last place indicator		1.255** (0.570)
Number behind > 1 indicator		-0.654 (1.277)
Number ahead	1.107** (0.504)	1.076** (0.508)
Number ahead <sup>2</sup>	-0.203** (0.097)	-0.195** (0.097)
Time since joining queue	-0.026*** (0.007)	-0.026*** (0.007)
Time since joining queue <sup>2</sup>	0.000*** (0.000)	0.000*** (0.000)
Current processing time	-0.008 (0.006)	-0.008 (0.006)
Current processing time <sup>2</sup>	0.000** (0.000)	0.000** (0.000)
Cycle time	0.001 (0.002)	0.001 (0.002)
Constant	-5.059*** (0.607)	-6.276*** (0.823)
Observations	9,440	9,440
Number of customer	210	210

**Table 1:** Probability of switching queues increases when customers are in “last place” (Study 1). Both models are estimated with random effects logistic regression. Robust standard errors, clustered by customer, are shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

Interestingly, the effect of having more than one person waiting behind the customer had an insignificant incremental effect on the probability that she would switch queues ( $\beta=-0.654$ ,  $P = 0.61$ ), suggesting a discontinuity in behavior associated with being in last place. Indeed, of the 71 customers who switched during our period of observation, 65 did so when they were in last place, 5 did so with a single person behind them, and 1 did so with two people behind them. No customers switched queues with more than two customers behind them. **Figure 2** graphically plots the marginal effects.

Although the sharp discontinuity in behavior observed among last-place individuals is consistent with the presence of last place aversion in queues, there remain other potential explanations for this pattern of results. For example, it could be the case that the presence of merchandise displays and other customers impeded the switching behavior of all but those who were in last place, serving as an alternative explanation for the patterns observed. Moreover, the lack of instrumentation of the performance of the adjacent, non-focal queues may mean the switching itself was rational – namely, the customer with the most to gain from

switching to a short adjacent queue would be the person at the end of the line. Consequently, to rule out alternative explanations for the switching patterns observed, to test whether the behaviors engendered by being last in queues are rational or maladaptive, and to examine whether last place aversion may have broader implications for queuing dynamics and performance, further analysis was required.



**Figure 2:** Marginal effects plot (Study 1). The results demonstrate a discontinuity, wherein people were more likely to switch queues when they were in last place. Controlling for other factors, customers were 3.5 times more likely during any given second to switch queues when they were in last place, relative to having just one person waiting behind them. 95% confidence intervals are provided with each marginal effects estimate.

### 3.2 Study 2: Queue perceptions (H1)

Study 1 provided field evidence that customers are more likely to switch when they are in last place, hinting that being in last place may have a substantive effect on customers' experiences and behaviors. Study 2 explores the effect of last place aversion on customer experiences – specifically, on how being in last place affects wait satisfaction and perceptions of wait duration. To do so, participants were recruited online to wait in a queue to complete a five-question survey.

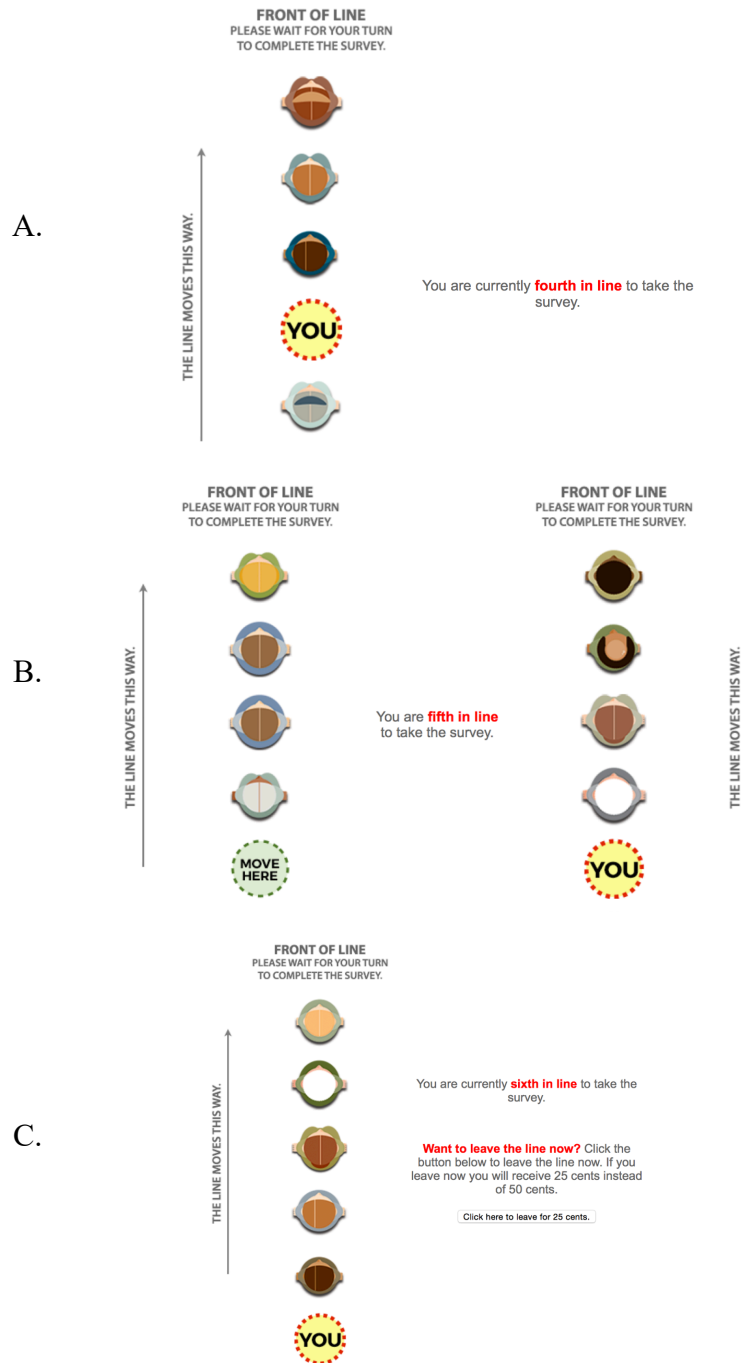
*3.2.1 Participants.* 502 participants (56.2% female,  $M_{age}=39.07$ ,  $SD=12.88$ ) completed this experiment on the Amazon Mechanical Turk platform in exchange for 50 cents (Buhrmester, Kwang, and Gosling 2011; Mason and Suri 2012). Participants were recruited to take part in a five-question survey, and were informed that completing the survey would take 2-5 minutes.

*3.2.2 Design and procedure.* As each participant arrived and completed the informed consent process, they were told, “on the next screen, you will join a first-come-first-served line to take a 5-question survey. If you wait in the line and complete the survey, you will receive 50 cents. To keep the line moving, when your turn comes, you must click a button within 10 seconds to progress to the survey or you will be disqualified.” When participants advanced to the next screen, they joined a queue. The length of the queue they joined, as well as whether they waited in last place, were determined by random assignment, such that participants entered one condition of a 5(starting queue position: 1, 2, 3, 4, 5) x 2(last place: no, yes) experimental design. The target sample size of 500 participants was chosen in order to capture approximately 50 participants in each condition.

Starting queue position was operationalized as the participant’s initial position in the queue upon arrival, such that, for example, a person randomly assigned to a starting position of 4 would see herself as fourth in line to complete the survey when she first joined the queue. Last place was operationalized by whether any participants were shown to arrive after the focal participant. Participants randomly assigned not to be in last place observed a participant arriving in the queue 3 seconds after their own arrival. Participants randomly-assigned to the last place condition spent the duration of their wait in last place. Hence, the difference between the treatment and control conditions estimated in this experiment compare the effect of waiting in last place with the effect of waiting in second to last place. As participants waited to complete the survey, they observed their current position and progress in the queue, depicted from above (**Figure 3A**). Each participant saw herself or himself represented as a yellow circle, with the word “YOU” superimposed over the top. Other simulated participants were represented with one of 41 randomly-assigned avatars.

To ensure consistent and comparable experiences across participants who waited in different conditions, the simulated queue was set to advance at a pace of 18 seconds per participant, but because of internet latency, the actual average cycle time experienced by participants was 20.43 seconds per participant ( $SD = 2.06$  seconds).

When participants reached the front of the queue, they were instructed to click a button within 10-seconds to advance to the survey. This step was included to ensure participants remained present throughout the duration of their wait, as would be required in typical physical queuing environments. 17 participants closed their browser window before reaching the front of the queue (59% of participants who closed their browsers were in the last place condition), and 21 participants failed to click the attention check button within 10 seconds (62% of participants who failed the attention check were in the last place condition), resulting in the sample of 502 participants described above.



**Figure 3:** Queue displays for Studies 2-5. Study 2 explored how relative queue position affected wait time satisfaction and perceived wait duration (Panel A). Study 3 explored how relative queue position affected switching behavior (Panel B). Study 4 investigated how relative queue position affected defection from the queue (Panel C). Study 5 resembled the design of Study 4 (Panel C), except that in treatment conditions, digital confederates were added behind each waiting participant in order to nullify the effects of last place aversion by ensuring that no participant perceived herself or himself to be in last place.

3.2.3 *Independent measures.* Independent measures included the participant's starting position in the queue and whether the participant waited in last place. As a manipulation check, each participant's total waiting time was also measured. Intuitively, participants' waiting time should be affected by their randomly-assigned queue position, and not by whether they were randomly assigned to be in last place. Indeed, a one-way Analysis of Variance (ANOVA) revealed that wait time varied by the starting position condition  $F(4,494)=9,196.51, P<0.01$ , but not by the last place condition  $F(1,497)=0.20, P=0.65$ .

3.2.4 *Survey measures.* Participants who reached the front of the queue and passed the attention check progressed to the survey, where they were asked to rate their wait satisfaction, "Please rate your overall satisfaction with the length of your wait, on a scale of 1-7 (1= extremely dissatisfied; 7 = Extremely satisfied)," ( $M = 5.28, SD = 1.43$ ) and to estimate the duration of their wait, "Please estimate how long you waited to take the survey (in seconds)," ( $M = 54.73, SD = 49.34$ ). Participants were also asked to report their gender, their year of birth, and the highest level of education they had completed. The average participant spent 24.44 seconds ( $SD = 16.50$  seconds) answering these five questions. To facilitate comparability across empirical specifications, participants who failed to answer all the survey questions were excluded from the analysis, resulting in a final sample of 499 participants (55.91% female,  $M_{age}=39.02, SD=12.85$ ), though all results are substantively similar with all observations included.

3.2.5 *Empirical strategy.* As depicted in Equation (3) below, ex-post perceptions of the queue – participants' perceptions of how long they waited, and how satisfied they were with their wait –were modeled cross-sectionally using OLS regression with robust standard errors as a function of positional and queue-related dynamics they experienced during their wait:

$$PERCEPTIONS_i = \gamma_0 + \gamma_1 LAST_i + \gamma_2 START_i + X_i + \epsilon_i \quad (3)$$

In the above specification,  $LAST_i$  is an indicator variable denoting whether the participant was assigned to spend the duration of her wait in last place.  $START_i$  captured the starting queue position of the participant upon her arrival in the queue. Since the service time of each individual shown in the queue was deterministic and constant, and no simulated participants defected from the queue, the actual waiting time participants experienced was highly correlated with their starting queue position ( $\rho=0.993$ ). However, alternative specifications, presented in the online appendix that include controls for actual waiting time, produce similar results. Finally,  $X_i$  represents a vector of control variables, denoting the participant's gender, age, and level of education. Controlling for these factors, participants who spent their queuing experience in last place were hypothesized to be less satisfied than those who did not, which serves as the test of H1.

	(1)	(2)	(3)
	Wait satisfaction	Wait estimate	Actual wait
Last place indicator	-0.249** (0.122)	6.822* (3.849)	0.150 (0.264)
Starting queue position	-0.297*** (0.042)	18.815*** (1.345)	18.036*** (0.106)
Female indicator	0.199 (0.122)	-4.172 (3.892)	-0.330 (0.265)
Age	0.013*** (0.005)	0.037 (0.129)	0.001 (0.009)
Education	-0.059 (0.048)	-2.060 (1.391)	0.141* (0.082)
Constant	5.939*** (0.292)	4.308 (7.961)	4.819*** (0.494)
Observations	499	499	499
Adjusted R-squared	0.106	0.290	0.987

**Table 2:** Participants were less satisfied and perceived marginally longer waits when they spent the duration of their wait in last place, although waiting in last place had no impact on actual wait duration (Study 2). All models are estimated with OLS regression with robust standard errors shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively. Wait satisfaction results, which are based on a 7-point Likert scale, are substantively similar when modelled with ordered probit regression, and are presented in the online appendix.

*3.2.6 Analysis and results.* Intuitively, and as shown in **Table 2** Columns 1-2, participants reported lower wait satisfaction ( $y = -0.297$ ,  $P < 0.01$ ) and higher wait time estimates ( $y = 18.815$ ,  $P < 0.01$ ), when they were randomly assigned to begin their wait further back in the queue. However, consistent with H1, Column (1) shows that participants randomly assigned to be in last place reported wait satisfaction that was significantly lower than participants waiting in equivalent queues with a single individual shown waiting behind them ( $y = -0.249$ ,  $P < 0.05$ ). Interestingly, Column (2) shows that participants randomly-assigned to be in last place also perceived their waits to be marginally longer than those who experienced their wait with a single person waiting behind them ( $y = 6.822$ ,  $P < 0.10$ ), although Column (3) reveals that being in last place had no impact on the actual amount of time participants waited ( $y = 0.150$ ,  $P = 0.60$ ).

These results are interesting, since the sizable effects of last place aversion persist in a controlled experiment, which holds constant all other facets of the wait. This suggests that being in last place is, in and of itself, what's diminishing customer experiences – not the prolonged wait duration that's associated with being in last place. What's more, controlling for other factors, the decline in satisfaction participants reported from being in last place was similar in magnitude to the decline in satisfaction they reported for having an extra person waiting in front of them – for these participants, waiting in last place had a similar effect on their subjective experience as having to wait in a longer queue – with an extra person standing in

front of them. In a separate experiment reported in the online appendix, with a similar design, except that actual queues were formed and analyzed, participants reported an even stronger aversion to being in last place. The decline in wait time satisfaction experienced by a last place participant was the same as the drop experienced by participants who waited 70 additional seconds to take the survey – the equivalent of waiting behind two additional people. Perhaps this difference in magnitude is attributable to the increased realism of the experience of waiting in an actual queue – where service and arrival rates are stochastic, and where individuals exhibit a wider range of observable queueing behaviors, such as reneging when progress is slower than anticipated. Hence, the studies that follow analyze the behaviors of participants waiting in actual queues, rather than simulated ones.

### 3.3 Study 3: Last place aversion and switching behavior (H2)

Study 2 highlighted how peoples' queuing experiences and perceptions are undermined by being in last place. Perhaps this negative affect can cause last place customers to behave in ways that run against their own self-interest; for example, switching queues when persisting would reduce their wait. Such a tendency would be consistent with prior research showing how people will accept risky gambles to get out of being in last place in non-queuing contexts (Kuziemko et al. 2014). In Study 1, customers were found to be 3.5 times more likely to switch queues when they were in last place, but such behavior might be advantageous if the last place customer was acting strategically – for example, only switching if the adjacent queue was shorter or moving faster, or if the servers or customers in the adjacent queue appeared to be more prepared to work quickly through their transactions. Study 3 replicates the conditions of the observational analysis from Study 1 in an online environment, to investigate the effects of last place aversion on switching behaviors in a setting that expressly controls for strategic reasons to switch queues. The online environment of Study 3 allows for continuous monitoring of the speed and relative length of the focal and paired queues, and its design eliminates context clues that would allow participants to anticipate the duration of others' service times or to observe the arrival process. These features allow for a direct test of H2 – of whether, *ceteris paribus*, people in last place exhibit a heightened tendency to switch queues. If they do, then last place-induced switching may lead to poorer outcomes for customers.

*3.3.1 Participants.* 302 participants (41.7% female,  $M_{age}=35.08$ ,  $SD=10.63$ ) completed this study on the Amazon Mechanical Turk platform in exchange for 50 cents. Participants were recruited using the same language as Study 2. Although 369 participants completed the online informed consent process and joined a queue, 43 participants (11.7%) exited the study while waiting in the queue, and an additional 24 participants (6.5%) were disqualified when they failed to click the button to proceed to the survey within 10 seconds. Data from the remaining 302 participants were analyzed.

*3.3.2 Design and procedure.* Study 3 replicated the design of Study 2 with three important modifications. First, instead of analyzing the behavior of participants in simulated queues, participants in Study 3 joined an actual, first-come-first-served queue. Second, instead of being added to the end of a single queue, participants were added to the end of the shorter of two queues in a paired queue system (**Figure 3B**). Each queue in the system was allowed to reach a maximum of 6 participants. When both queues reached a maximum number of participants, a new paired queue system was opened to accommodate the new arrivals to the Study. However, when a queue fell below 6 participants, due either to participants quitting or advancing through the survey, that queue was again eligible to accept new arrivals. Each new arrival was automatically added to the shortest available queue across all systems, resulting in the true-to-life queuing dynamic of new customers arriving perpetually. Third and finally, unlike Study 2, participants were given the opportunity to switch between the paired queues. If a participant desired to switch to the other queue, she could do so by clicking a green circular button at the end of the opposing queue that was labeled, “Move Here.” Clicking the button would result in being placed at the end of the opposing queue, a behavior that served in the experiment as the indicator of switching queues. Importantly, as in physical environments, if a participant switched queues, she would lose her place in line, if there had been another person behind her, or if another participant subsequently arrived and took the place she previously occupied.

*3.3.3 Independent measures.* While participants waited to complete the survey, data were recorded every ten seconds, as well as any time they chose to switch queues, on the number of participants in front of them in the queue ( $M = 1.72$ ,  $SD = 1.48$ ), the number of participants behind them in the queue ( $M = 1.62$ ,  $SD = 1.51$ ), whether they were in last place ( $M = 0.33$ ,  $SD = 0.47$ ), and the number of seconds that had elapsed since they joined the queue ( $M = 69.08$ ,  $SD = 54.45$ ). Moreover, the status of the opposing queue was recorded in parallel. Participants might logically choose to switch to the opposing queue if it was shorter than the queue in front of them. Hence, a “paired queue comparison” metric was generated that tallied the difference between the number of people currently ahead of the participant, and the number of people who would be ahead of the participant if she switched to the opposing queue ( $M = -2.49$ ,  $SD = 1.83$ ). Additionally, the cycle time of both the focal and opposing queues were measured, using the processing time for the last participant to receive service, in order to control for the relative pace of the queues ( $M = 24.19$ ,  $SD = 9.98$ , and  $M = 23.98$ ,  $SD = 10.25$ , respectively). Incorporating these lagged indicators results in dropping observations from participants waiting before the first person served in a queue received service, though the results are substantively similar if cycle time controls are not included. Participants waited in the queues for an average of 91.12 seconds ( $SD = 78.21$  seconds) before progressing to the survey.

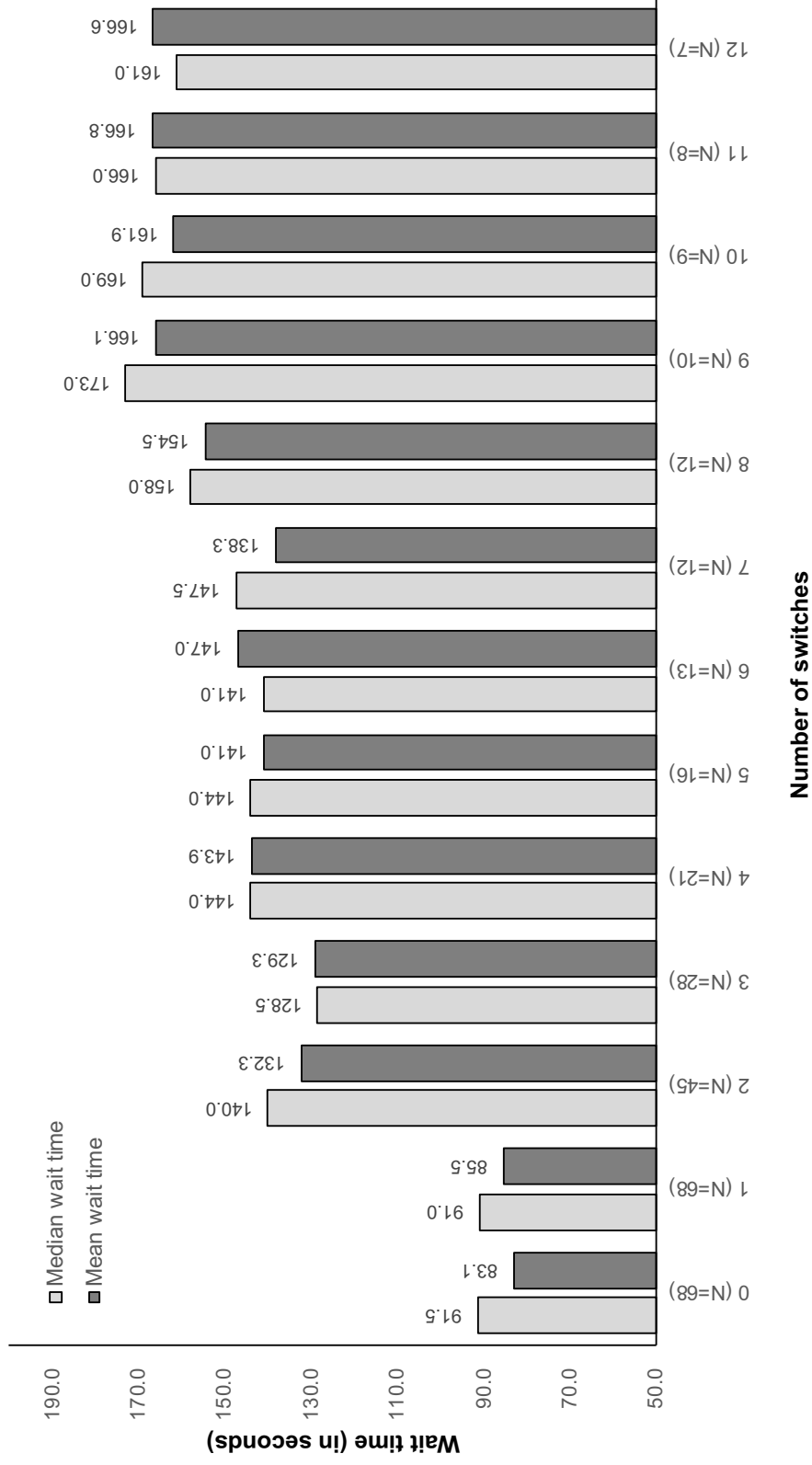
*3.3.4 Dependent Measures.* The key dependent measure for this study was whether the participant chose to switch queues during a particular recorded scenario as described above. Consistent with the



observational results in Study 1 and H2, the hypothesis underlying Study 3 was that after controlling for other factors, participants would be more likely to switch queues when they were in last place. The average participant switched queues 1.28 times during her wait ( $SD = 5.58$ ). For our primary analysis, we focus on participants who switched queues 12 or fewer times, which excludes ( $N = 5$ ) participants, who switched a disproportionate number of times ( $M = 39.4$ ,  $SD = 16.24$ ). However, all presented results are substantively similar if all observations are included, or if stricter cutoffs are imposed. As a secondary dependent measure, the total queuing times for participants were captured. Being in last place was hypothesized to increase the probability of switching behavior, and since Study 3 was designed to remove contextual cues that would allow participants to switch strategically, switching in this environment was predicted to extend the duration of a participant's wait. Participants who did not switch queues ( $N = 234$ ) waited an average of 77.30 seconds to take the survey ( $SD = 68.08$ ). Participants who did switch queues ( $N = 68$ ) waited an average of 138.69 seconds ( $SD = 91.66$ ). Of course, the fact that switchers waited longer for service does not necessarily mean that switching was irrational.

The virtual queuing environment made it possible to track the behavior and survey time of every individual within the paired queue system, and to impute an average transition time between survey participants, such that for every switch made by a participant, a counterfactual could be calculated reconstructing the wait time the participant would have had if she *and those in front of her* had not switched queues. Owing to the prevalence of switching, these counterfactuals are, hence, overestimated. Had no queue switching occurred, participants ( $N = 302$ ) would have waited an average of 78.85 seconds ( $SD = 58.33$  seconds) before taking the survey. Participants who chose not to switch ( $N = 234$ ) would have waited an average of 77.63 seconds ( $SD = 59.93$  seconds), and participants who chose to switch would have waited an average of 83.06 seconds ( $SD = 52.67$  seconds), wait times that are statistically indistinguishable ( $T(300)=0.675$ ,  $P=0.50$ ). However, in general, each additional switch by a participant tended to result in nominally longer wait times (**Figure 4**), suggesting that switching behavior may have been costly. To test whether last place-induced switching may have been maladaptive, the total queuing time for each participant is modelled as a function of whether she switched, controlling for how long she would have waited had she not switched.

**3.3.5 Survey Measures.** As with Study 2, participants were asked to rate their wait satisfaction, “Please rate your overall satisfaction with the length of your wait, on a scale of 1-7 (1= extremely dissatisfied; 7 = extremely satisfied),” ( $M = 4.39$ ,  $SD = 1.70$ ) and to estimate the duration of their waits, “Please estimate how long you waited to take the survey (in seconds),” ( $M = 99.84$ ,  $SD = 90.61$ ). Participants were also asked to report their gender, their year of birth, and the highest level of education they had completed.



**Figure 4:** Switching queues increases the median and mean expected wait times of switchers (Study 3). Each pair of column graphs shows the median and mean number of seconds the switcher would have waited to take the survey if she had not switched again, calculated as the sum of the service times exhibited by participants in front of the switcher in line, plus imputed transition times between participants, immediately prior to making the switch. N = 68 participants chose to switch at least once, N = 45 participants chose to switch at least twice, N = 28 participants chose to switch at least three times, etc. The pattern of results shows that, in general, the choice to switch in this context, where participants lacked transparency into the service process and visual information that could be used to forecast the relative speed of other participants, did not tend to reduce expected wait times.

3.3.6 *Empirical approach.* As depicted in Equation (4), switching probabilities,  $\Pr(SWITCH_{it})$ , for participant  $i$  during time period  $t$  were modeled as a function of positional and queue-related factors, using a random effects logistic regression with robust standard errors clustered by participant, as follows:

$$\begin{aligned} \text{logit}\left[\Pr(SWITCH_{it})\right] = & \delta_0 + \delta_1 LAST_{it} + \delta_2 2BEH_{it} + \delta_3 3BEH_{it} + \delta_4 4BEH_{it} + \delta_5 5BEH_{it} \\ & + \delta_6 AHEAD_{it} + \delta_7 AHEAD_{it}^2 + \delta_8 WAIT_{it} + \delta_9 WAIT_{it}^2 \\ & + \delta_{10} CYCLE_{it} + \delta_{11} PCYCLE_{it} + \delta_{12} PCOMPARE_{it} + X_i + \epsilon_{it} \end{aligned} \quad (4)$$

As in previous analyses, in the specification above,  $LAST_{it}$  is an indicator variable denoting whether the participant was in last place,  $2BEH_{it}$ ,  $3BEH_{it}$ ,  $4BEH_{it}$ , and  $5BEH_{it}$  are indicator variables denoting whether additional participants were waiting behind in the queue, with a single person waiting behind as the excluded category.  $AHEAD_{it}$  and  $AHEAD_{it}^2$  count the number of participants ahead of the focal participant in the queue.  $WAIT_{it}$  and  $WAIT_{it}^2$  controls for how long the participant has been waiting in the queue, and  $CYCLE_{it}$  indicates the current cycle time of the queue, measured as the service time of the last participant to complete the survey. Additionally, to account for rational reasons that participants might switch queues, the cycle time of the paired queue,  $PCYCLE_{it}$ , and  $PCOMPARE_{it}$ , which compares the number of participants ahead of the focal participant with the number of participants who would be ahead of her if she switched to the other queue. As in the other studies, a vector of participant-level control variables  $X_i$  is also included.

To test whether the switching engendered by last place aversion may be maladaptive, in the sense that it can worsen peoples' objective and perceived waiting experiences, its effects on total wait times and wait satisfaction are additionally modelled. In Equation (5), queuing experiences of participant  $i$ ,  $EXPERIENCE_i$ , are modelled in a cross-sectional OLS regression with robust standard errors as a function of indicator variables for whether the participant switched while in last place,  $LASTSWITCH_i$ , or otherwise,  $OTHERSWITCH_i$ ; a count of the number of people ahead of the participant when she first joined the line,  $FIRSTAHEAD_i$  and  $FIRSTAHEAD_i^2$ , and the sum of the service times for each of the participants initially waiting in front of the participant,  $PREDWAIT_i$ , a prediction of the participant's anticipated service time if no participants in the queue switched.

$$\begin{aligned} EXPERIENCE_i = & \zeta_0 + \zeta_1 LASTSWITCH_i + \zeta_2 OTHERSWITCH_i + \zeta_3 FIRSTAHEAD_i \\ & + \zeta_4 FIRSTAHEAD_i^2 + \zeta_5 PREDWAIT_i + X_i + \epsilon_i \end{aligned} \quad (5)$$

By controlling for the state of the queue when the participant arrived, and her predicted wait if she chose not to switch, the coefficients on  $LASTSWITCH_i$  and  $OTHERSWITCH_i$  partial out the effect of the choice to switch on wait times and satisfaction, holding constant what the objective experience of the participant would have been in the absence of switching. Positional and queue-related aspects of the wait that extend beyond the initial state of the queue each participant encountered are excluded from this cross-

sectional analysis, since they are endogenous with the choice to switch. If switching while in last place in this environment is experience enhancing, we should expect to see that switching will be associated with reduced wait times and increased satisfaction. If instead it is maladaptive, we should expect switching while in last place to be associated with longer waits and lower levels of satisfaction, after controlling for what the participant's experiences would have been in the absence of switching.

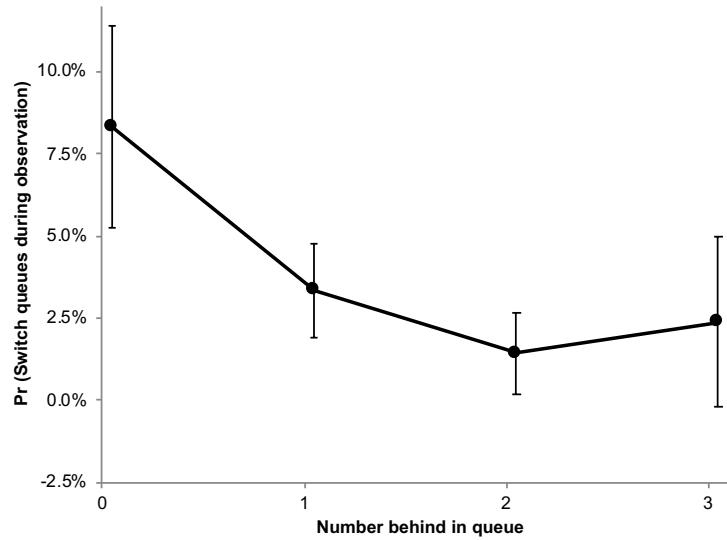
*3.3.7 Analysis and Results.* **Table 3**, Column (1) corroborates the results from Study 1 by showing that, controlling for other factors, people are discontinuously more likely to switch queues when they are in last place ( $\delta = 1.404$ ,  $P < 0.01$ ). After an initial person joins behind the focal participant, the probability of switching falls significantly, and adding a second, third, fourth, or fifth person waiting behind has no incremental effect on the probability of switching ( $P_s > 0.14$ ). Column (2) builds on the analysis in Study 1 by controlling for the state of the paired queue. Although participants were insensitive to the cycle time of the paired queue ( $\delta = -0.215$ ,  $P = 0.13$ ), participants were more likely to switch when doing so would result in having fewer people ahead ( $\delta = 0.407$ ,  $P < 0.01$ ). However, consistent with H2, participants in last place were still 2.49 times more likely to switch queues when they were in last place, relative to having just a single person waiting behind them ( $\delta = 1.22$ ,  $P < 0.01$ ). As plotted in **Figure 5**, the difference was discontinuous. Adding a second person behind the focal individual had a marginal impact on reducing switching probabilities ( $\delta = -1.00$ ,  $P < 0.10$ ), but adding additional people had an insignificant effect ( $P_s > 0.57$ ). These results are particularly surprising, because they're documented after controlling for the state of the alternative queue, and in a context bereft of the cues that would enable people to switch strategically. These results are consistent with the idea that the aversive nature of waiting in last place, and its effect on perceptions that the wait is actually longer, is enough to increase the probability that people will switch, independent of whether doing so will reduce their wait time. Being in last place, in and of itself, is enough to increase switching probabilities.

Conventional wisdom suggests that switching is a rational behavior used by people to get through lines faster. That is, if a person intuits that their line is slower than the alternative, they will switch to reduce their overall wait. Study 3 was designed experimentally and econometrically to control away rational reasons for switching, and the results above demonstrate that even after withholding rational reasons for doing so, people in last place can still be more likely to switch. Columns (3) and (4) investigate how the choice to switch in this context affects wait duration and wait satisfaction. Intuitively, wait duration was longer and wait satisfaction was lower when participants' imputed wait time without switching was longer ( $\zeta = 1.04$ ,  $P < 0.01$  and  $\zeta = -0.01$ ,  $P < 0.05$ , respectively). Wait satisfaction was also reduced among participants who started further back in the queue ( $\zeta = -0.568$   $P < 0.05$ ), though at a diminishing rate ( $\zeta = 0.069$   $P < 0.05$ ). However, even after controlling for these factors, switching while in last place was associated with an

additional 27.22 seconds of waiting, relative to those who chose not to switch ( $\zeta = 27.22$   $P < 0.01$ ). These results suggest that from an objective standpoint, the increased switching engendered by being in last place can be maladaptive, in the sense that it can result in longer waits. Owing to their lost positional advantage, people who switched while not in last place increased their total wait even longer ( $\zeta = 41.25$   $P < 0.01$ ). Moreover, although people who switched when they were not in last place were no more nor less satisfied with their waits than those who chose not to switch ( $\zeta = -0.43$   $P = \text{NS}$ ), people who switched while in last place were less satisfied with their waits than those who decided not to switch ( $\zeta = -0.69$   $P < 0.05$ ).

	(1)	(2)	(3)	(4)
	Pr(Switch)	Pr(Switch)	Total wait	Wait satisfaction
Last place indicator	1.404*** (0.327)	1.217*** (0.330)		
Two behind indicator	-0.820 (0.550)	-1.003* (0.595)		
Three behind indicator	-0.723 (0.683)	-0.408 (0.723)		
Four behind indicator	-	-		
Five behind indicator	-0.899 (1.081)	0.066 (1.135)		
Number ahead	-0.313 (0.252)	-0.477* (0.272)		
Number ahead <sup>2</sup>	0.076 (0.048)	0.066 (0.049)		
Last place switch indicator			27.220*** (6.988)	-0.691** (0.300)
Other switch indicator			41.252*** (11.067)	-0.427 (0.428)
Initial number ahead			3.946 (4.032)	-0.568** (0.223)
Initial number ahead <sup>2</sup>			-0.595 (0.583)	0.069** (0.032)
Imputed wait time without switching			1.037*** (0.079)	-0.008** (0.004)
Time since joining queue	-0.020* (0.011)	-0.017 (0.012)		
Time since joining queue <sup>2</sup>	0.000 (0.000)	0.000 (0.000)		
Cycle time	-0.015 (0.014)	-0.011 (0.014)		
Paired queue cycle time		-0.022 (0.014)		
Paired queue comparison		0.407*** (0.079)		
Female indicator	-0.538 (0.389)	-0.445 (0.380)	0.519 (3.047)	0.438*** (0.163)
Age	-0.064*** (0.019)	-0.065*** (0.019)	-0.041 (0.120)	-0.005 (0.006)
Education	-0.006 (0.128)	0.051 (0.127)	0.961 (0.935)	-0.071 (0.057)
Constant	-0.638 (0.960)	0.762 (0.996)	-9.252 (6.995)	6.137*** (0.351)
Observations	2,316	2,270	297	296
Model type	RE Logit	RE Logit	OLS	OLS
Adjusted R-squared			0.869	0.357
Number of participants	225	217	297	296

**Table 3:** Being in last place significantly increases switching behavior, and switching prolongs wait duration, undermining satisfaction (Study 3). Robust standard errors, clustered at the individual level, are shown in parentheses in Columns 1-2. Robust standard errors are shown in parentheses in Columns 3-4. Adjusted R-squared metrics cannot be calculated for random effects logistic models, and are accordingly not provided in Columns 1-2. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively. Wait satisfaction results, which are based on a 7-point Likert scale, are substantively similar when modelled with ordered probit regression, and are presented in the online appendix.



**Figure 5:** Marginal effects plot (Study 3). The results demonstrate a discontinuity, wherein people were more likely to switch queues when they were in last place. Controlling for all factors included in the fully-specified model, including the relative state of the alternative queue, participants were 2.49 times more likely to switch queues when they were in last place, relative to having just one person waiting behind them. Observations were recorded every ten seconds, as well as during any instance when participants switched queues. 95% confidence intervals are provided with each marginal effects estimate.

Building on Study 2, these results highlight a second way that last place aversion in queues substantively affects customer service performance. The diminished experiences that arise from being in last place (e.g., lower wait satisfaction and longer perceived wait duration) can translate to switching behaviors, which can in turn further prolong waits and undermine wait time satisfaction. Adding insult to injury, not only did switching prolong total wait duration, last place participants who switched wound up spending more than twice as much time in last place on average – up from 20.90 seconds ( $SD = 25.93$ ) to 50.46 seconds ( $SD = 33.66$ ) ( $T(295) = 7.19$ ,  $P < 0.01$ ). These dynamics lend support to the idea that the behaviors emanating from last place aversion in queues can be maladaptive, in that they can substantively worsen customers' queuing experiences.

### 3.4 Study 4: Last place aversion and reneging behavior (H3)

Study 4 explores the effects of last place aversion on reneging behaviors – the choice to quit a line and forgo a service altogether. To the extent that being in last place diminishes customer experiences, as hypothesized in H3, queuing individuals may be most likely to give up on the line when they are in last place. Although quitting while in last place means the participant forgoes the service for which they are queuing, such behavior may be rational if it applies disproportionately to circumstances where the service delivered isn't worth the wait. Study 4 explores this possibility – investigating the moderating role of

completion utility on last place-induced reneging. Moreover, Study 4 investigates downward social comparison as a potential mechanism explaining the effects of last place aversion on reneging behavior, by studying whether being in last place makes people perceive that waiting is less worthwhile. Finally, Study 4 explores the impact of queue transparency, a service design choice that may be used by managers in some circumstances to combat the deleterious effects of last place aversion on service performance. If last place aversion drives reneging behaviors in queues, transparency into one's relative position may increase abandonment when participants can see that they are in last place and it may reduce abandonment when participants can see that they're not.

*3.4.1 Participants:* 1,429 participants (50.5% female,  $M_{age}=36.45$ ,  $SD=11.61$ ) completed this study on the Amazon Mechanical Turk platform in exchange for 50 cents. Participants were recruited using the same language as in the prior online studies.

*3.4.2 Design and Procedure:* Study 4 replicated the design of the previous online studies, returning to a single queue with a capped capacity of six participants. Unlike the prior studies, the design of Study 4 formally allowed participants to abandon the queue without surfing away from the experiment. Beneath the textual description of the participant's current status in the queue was included an additional instruction that invited participants to leave the line early in exchange for a reduced level of compensation (**Figure 3C**). The degree to which waiting in the queue was discretionary was manipulated by offering different levels of compensation to participants who chose to renege – ranging in ten cent increments from 5 cents to 45 cents. When a low (high) level of compensation was offered for abandoning, the incremental compensation for completing the survey was relatively high (low), mimicking service scenarios in which waiting for service is less (more) discretionary. Participants read “Want to leave the line now? Click the button below to leave the line now. If you leave now, you will receive [5, 15, 25, 35, 45] cents instead of 50 cents.” Study 4 additionally manipulated queue transparency, whether or not participants could see the queue itself. In the transparent condition, participants saw both the pictorial and textual representations of their current position in the queue. In the non-transparent condition, participants only saw the textual representation of their current position in the queue. Importantly, although the textual representation presented information about how many participants were ahead in the queue, for example, “You are currently fourth in line to take the survey,” it presented no information about the status of the queue behind the participant; crucially, whether the participant was in last place.

Since there were ten conditions in this study, a recruiting target of 1,200 participants who did not renege from the queue was established. The aim of this strategy was to yield a minimum of 20 observations

per rank per condition from participants who did not renege, plus additional observations from participants who chose to renege – offering sufficient power for the analysis.

*3.4.3 Independent measures.* As in Study 3, while participants waited to complete the survey, data were recorded every ten seconds, as well as any time they chose to renege, on the number of participants in front of them in the queue ( $M = 1.47$ ,  $SD = 1.49$ ), the number of participants behind them in the queue ( $M = 0.99$ ,  $SD = 1.16$ ), whether they were in last place ( $M = 0.47$ ,  $SD = 0.50$ ), and the number of seconds that had elapsed since they joined the queue. The 240 participants who reneged did so after waiting an average of 15.94 seconds ( $SD = 22.29$  seconds). The remaining 1,189 participants, who did not abandon the queue, waited for an average of 75.00 seconds ( $SD = 54.67$  seconds) before progressing to the survey. Queue cycle times were also measured, as the average processing time for the participants served by each queue ( $M = 26.39$  seconds,  $SD = 5.63$  seconds).

*3.4.4 Dependent Measures.* The focal dependent measure for this study was whether the participant chose to renege from the queue. Study 4 was designed to test the hypothesis that controlling for other factors, people would be more likely to renege when they were in last place. Indeed, of the 240 participants who reneged, 146 (60.8%) did so when they were in last place.

*3.4.5 Survey Measures.* As with Studies 2 and 3, participants who waited in the queue were asked to rate their wait satisfaction, “Please rate your overall satisfaction with the length of your wait, on a scale of 1-7 (1= Extremely dissatisfied; 7 = Extremely satisfied),” ( $M = 4.36$ ,  $SD = 1.70$ ). Unlike the previous studies, participants who waited and participants who reneged were additionally asked to rate the degree to which they agreed or disagreed with the statement, “It was worth my time to wait in the line I just experienced,” on a scale of 1-7 (1 = Strongly disagree; 7 = Strongly agree). Participants were also asked to report their gender, their year of birth, and the highest level of education they had completed.

*3.4.6. Empirical approach.* As depicted in Equation (6), the probability that participant  $i$  would renege at time  $t$ ,  $\Pr(\text{RENEGE}_{it})$ , was modelled as a function of positional and queue-related factors using a random effects logistic regression with robust standard errors clustered at the participant level:

$$\begin{aligned} \text{logit}\left[\Pr(\text{RENEGE}_{it})\right] = & \eta_0 + \eta_1 \text{LAST}_{it} + \eta_2 \text{2BEH}_{it} + \eta_3 \text{3BEH}_{it} + \eta_4 \text{4BEH}_{it} + \eta_5 \text{5BEH}_{it} \\ & + \eta_6 \text{TRANS}_i + \eta_7 \text{LAST}_{it} \times \text{TRANS}_i + \eta_8 \text{COMP}_i + \text{TRANS}_i \times \text{COMP}_i \\ & + \eta_9 \text{LAST}_{it} \times \text{TRANS}_i \times \text{COMP}_i + \eta_{10} \text{AHEAD}_{it} + \eta_{11} \text{AHEAD}_{it}^2 \\ & + \eta_{12} \text{WAIT}_{it} + \eta_{13} \text{WAIT}_{it}^2 + \eta_{14} \text{CYCLE}_{it} + X_i + \epsilon_{it} \end{aligned} \quad (6)$$



In the equation above,  $LAST_{it}$  serves as an indicator variable for whether the participant is in last place, and in this specification captures whether participants who can't see they are in last place are more likely to defect than those waiting with one person behind them in the queue. If queue transparency is an effective design lever for reducing last place customer defection, this coefficient should be insignificantly different from zero.  $2BEH_{it}$ ,  $3BEH_{it}$ ,  $4BEH_{it}$ , and  $5BEH_{it}$ , likewise, are indicator variables capturing the incremental impact of having more than one person behind the focal participant in the queue.  $TRANS_i$  is an indicator variable denoting whether the queue was transparent to the participant, and in turn, whether seeing when she was not in last place had an effect on reneging behavior.  $LAST_{it} \times TRANS_i$  measures whether being in last place has a differential effect when there's queue transparency. Since we should only expect the effects of last place aversion to affect a person's behavior when she can see she is in last place, this interaction term serves as our focal variable for testing H3, that last place aversion will increase reneging behavior.  $COMP_i$  indicates the level of compensation the participant was offered to quit the queue, with higher levels of compensation leading to a more discretionary queuing environment.  $TRANS_i \times COMP_i$  measures whether the effects of queue transparency on defection depend on how discretionary the wait is. Finally,  $LAST_{it} \times TRANS_i \times COMP_i$  denotes whether the effects of last place aversion depend on the completion utility of the service. A positive coefficient would be consistent with the idea that last place-induced switching is rational, since it would indicate that last place participants are more likely to renege, when they are queuing for less valuable services. Such a behavior would be rational in that it would suggest people are strategically opting out of waiting for a less valuable service before they invest too much time in the queue. A negative coefficient would indicate that last place-induced reneging is maladaptive, in that it is causing people to quit the queue when they have more to gain from receiving the service. As in the previous studies,  $AHEAD_{it}$ ,  $AHEAD^2_{it}$ ,  $BEHIND_{it}$ ,  $WAIT_{it}$ ,  $WAIT^2_{it}$ , and  $CYCLE_{it}$  accounted for the number of participants ahead and behind in the queue, the elapsed wait time, and the cycle time of the most recent participant to receive service.

In order to test the idea that people in last place, who can see that no one has lined up behind them for service, perceive the wait to be systematically less worthwhile,  $WORTH_i$  is modelled using OLS regression as in Equation (7), and is estimated with robust standard errors.

$$WORTH_i = \theta_0 + \theta_1 LAST_i + \theta_2 2BEH_{it} + \theta_3 3BEH_{it} + \theta_4 4BEH_{it} + \theta_5 5BEH_{it} + \theta_6 AHEAD_i + \theta_7 AHEAD^2_i + \theta_8 WAIT_i + \theta_9 WAIT^2_{it} + \theta_{10} CYCLE_i + \theta_{11} COMP_i + X_i + \epsilon_i \quad (7)$$

In the cross-sectional model above,  $LAST_i$  is an indicator variable denoting whether the maximum number of people waiting behind the focal participant was zero (e.g., she was always in last place). Similarly,  $2BEH_{it}$ ,  $3BEH_{it}$ ,  $4BEH_{it}$ , and  $5BEH_{it}$ , are indicator variables denoting whether the maximum number of people waiting behind the focal participant were 2, 3, 4, or 5, respectively.  $AHEAD_i$  and  $AHEAD^2_i$  model the maximum number of people ahead of the participant during her queuing experience.

$WAIT_i$  and  $WAIT_i^2$  control for the amount of time the participant spent waiting in the queue,  $CYCLE_i$  controls for the cycle time of the queue, and  $COMP_i$  controls for the amount of compensation participants were being offered to quit the queue. If after controlling for these other factors, waiting in last place was associated with diminished perceptions of the worth of waiting, it would explain *how* last place aversion leads to maladaptive reneging. Such a result would suggest that the mere fact of being in last place causes people to perceive that the service for which they are queuing is less valuable – despite the fact that being in last neither influences the value of the service itself, nor the duration of one’s wait to receive it.

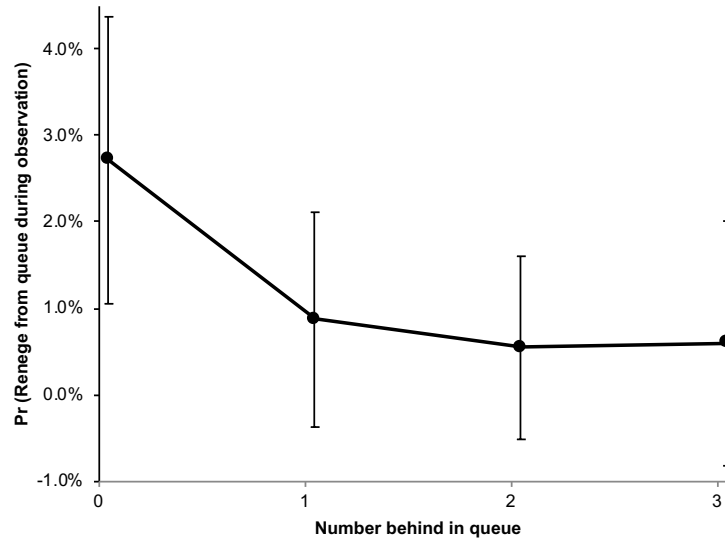
**3.4.6 Analysis and Results.** In **Table 4**, Columns (1-2) examine data for the subsample of participants who experienced queue transparency. In Column (1), relative to having a single person waiting behind the focal participant, the probability of reneging was marginally higher when participants were in last place ( $\eta = 2.272$ ,  $P < 0.10$ ). Again, the effect of being in last place was discontinuous, as shown in **Figure 6**. Last place participants who could see they were in last place, and who were offered the lowest levels of compensation for reneging were 3.1 times more likely to quit the queue than participants with a single person waiting behind them. These results offer support for H3. Adding more people behind the focal participant had no effect on the probability she would renege ( $Ps > 0.25$ ). Unsurprisingly, participants were more likely to renege when they were provided more compensation for quitting ( $\eta = 0.131$ ,  $P < 0.01$ ). Interestingly however, participants in last place were less sensitive to the amount of the compensation for quitting the queue ( $\eta = -0.087$ ,  $P < 0.05$ ), lending further support to the idea last place-induced reneging may be maladaptive. Participants with more people waiting behind them were no more nor less sensitive to the amount of the compensation for quitting ( $Ps > 0.14$ ). Column (2) offers a simplified specification, only focusing on the differential effect of compensation on the last place individual, and it demonstrates that under the lowest levels of compensation, participants in last place were disproportionately more likely to renege from the queue ( $\eta = 2.915$ ,  $P < 0.05$ ), than those with a single person waiting behind them, offering converging evidence in support of H3. Adding additional people behind the focal participant had no incremental effect on the probability they would quit the queue ( $Ps > 0.29$ ). Column (3) examines these relationships on the subsample of participants who did not experience transparency. When participants could not see that they were in last place, they were no more nor less likely to renege ( $\eta = 0.668$ ,  $P = 0.40$ ).

Column (4) presents the fully-interacted model. Queue transparency marginally reduced the probability of reneging from the queue ( $\eta = -1.865$ ,  $P < 0.10$ ), but there exists a significant interaction, wherein participants who were able to observe that they were in last place were significantly more likely to renege ( $\eta = 2.654$ ,  $P < 0.05$ ), offering further support for H3. This pattern is interesting, in that it suggests that queue transparency has a contingent effect on reneging: seeing that one is not in last place reduces the probability of reneging, while seeing that one is in last place increases the probability of reneging.

Consistent with the earlier results, the three-way interaction of transparency, last place, and compensation for quitting the queue is significant and negative ( $\eta = -0.082$ ,  $P < 0.05$ ), lending converging evidence that last place aversion can lead to maladaptive queuing behavior. Seeing that one is in last place has a disproportionate effect on renegeing when queueing for services that are more valuable.

	(1)	(2)	(3)	(4)	(5)	(6)
	Pr(Renege)	Pr(Renege)	Pr(Renege)	Pr(Renege)	Worth waiting	Worth waiting
Last place indicator	2.272* (1.240)	2.915** (1.223)	0.668 (0.796)	0.493 (0.782)	-0.555*** (0.189)	-0.075 (0.181)
Two behind indicator	-0.792 (1.904)	0.026 (0.553)	0.001 (0.443)	-0.010 (0.351)	-0.078 (0.192)	-0.222 (0.168)
Three behind indicator	-0.743 (2.211)	0.706 (0.672)	0.685 (0.502)	0.677* (0.398)	-0.232 (0.214)	-0.286 (0.197)
Four behind indicator	-4.182 (3.637)	0.367 (0.890)	0.380 (0.719)	0.351 (0.571)	-0.449* (0.258)	-0.378* (0.226)
Five behind indicator	-	-	-0.600 (1.196)	-0.877 (1.151)	-0.043 (0.284)	-0.285 (0.278)
Renege indicator						-2.744*** (0.248)
Transparency				-1.865* (1.069)		
Transparency x last place				2.654** (1.156)		
Compensation to quit	0.131*** (0.033)	0.143** (0.059)	0.088*** (0.017)	0.091*** (0.018)	-0.022*** (0.004)	-0.016*** (0.004)
Last place indicator x compensation	-0.087** (0.034)	-0.103** (0.042)	-0.018 (0.020)	-0.019 (0.020)		
Two behind indicator x compensation	0.024 (0.051)					
Three behind indicator x compensation	0.042 (0.060)					
Four behind indicator x compensation	0.123 (0.083)					
Five behind indicator x compensation	0.000 (0.000)					
Transparency x compensation				0.048 (0.029)		
Transparency x last place x compensation				-0.082** (0.032)		
Number ahead	1.393*** (0.406)	1.356* (0.732)	0.062 (0.295)	0.566** (0.235)	-1.761*** (0.276)	-0.319 (0.276)
Number ahead <sup>2</sup>	-0.201*** (0.064)	-0.195* (0.105)	-0.017 (0.046)	-0.088** (0.036)	0.264*** (0.038)	0.040 (0.039)
Time since joining queue	0.005 (0.015)	-0.004 (0.051)	-0.016 (0.011)	-0.009 (0.009)	0.018*** (0.005)	-0.013** (0.005)
Time since joining queue <sup>2</sup>	-0.000 (0.000)	-0.000 (0.000)	-0.000 (0.000)	-0.000 (0.000)	-0.000*** (0.000)	0.000 (0.000)
Cycle time	-0.022 (0.042)	-0.020 (0.040)	-0.042 (0.039)	-0.034 (0.028)		
Female indicator	-0.918** (0.458)	-0.833 (0.603)	-0.786** (0.335)	-0.825*** (0.265)	0.272** (0.122)	0.221** (0.110)
Age	0.002 (0.021)	0.001 (0.019)	-0.002 (0.015)	-0.000 (0.012)	0.017*** (0.005)	0.018*** (0.004)
Education	0.037 (0.161)	0.038 (0.146)	-0.021 (0.136)	0.012 (0.102)	-0.022 (0.045)	0.000 (0.040)
Constant	-10.318*** (1.989)	-10.136** (4.734)	-5.700*** (1.487)	-6.844*** (1.234)	6.806*** (0.503)	6.498*** (0.451)
Observations	4,949	4,949	5,244	10,208	670	670
Number of participants	665	665	753	1,418	670	670
Model selection	RE Logit	RE Logit	RE Logit	RE Logit	OLS	OLS
Sample selection	Transparent	Transparent	Non-Transparent	Full sample	Transparent	Transparent
Adjusted R-squared					0.174	0.330

**Table 4:** Reneging behavior is significantly increased by being in last place (Study 4). Columns 1-4 are estimated with random effects logistic models. Columns 5-6 are estimated with OLS models. Adjusted R-squared measures are provided for Columns 5-6. Such metrics cannot be calculated for random effects logistic models, and are accordingly not provided in Columns 1-4. All models are estimated with robust standard errors, which are shown in parentheses, with Columns 1-4 clustered at the individual level. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively. Worth of waiting results, which are based on a 7-point Likert scale, are substantively similar when modelled with ordered probit regression, and are presented in the online appendix.



**Figure 6:** Marginal effects plot (Study 4). The results demonstrate a discontinuity, wherein people were more likely to renege from queues when they were transparently waiting in last place. Controlling for all factors included in the fully-specified model, participants who were offered the lowest levels of compensation for quitting were 3.10 times more likely during any given ten second interval to renege from the queue, relative to having just one person waiting behind them. Observations were recorded every ten seconds, as well as during any instance when participants reneged. 95% confidence intervals are provided.

These results have important practical implications. First, they reveal that participants who were in last place were more likely to quit the line, giving up on the service entirely. Second, the results suggest that the effects may be most significant in less discretionary queuing contexts, where the cost of abandonment may be more severe for the customer. It should be noted that these results do not speak to behaviors in non-discretionary queuing environments, wherein completion utility is so high (and/or abandonment disutility is so high) as to preclude reneging. In such environments, it seems reasonable to assume that the benefits of waiting (and/or the high costs of quitting) would outweigh the pain of last place aversion, though this question remains an opportunity for future research. Finally, these results highlight queue transparency as a lever that may be used to reduce customer defections due to last place aversion. For example, since queue transparency reduces defections when people are not in last place, but increases defections when people are in last place, managers of a call center may be well served by providing information to customers about the state of the queue in front of them until a queue has accumulated behind them. Thereafter, the call center might transition to providing transparency about the shrinking line ahead, *and* the growing line behind.

Why does last place aversion in queues lead to reneging? Columns (5-6) test perceptions of the worth of waiting as a potential mechanism. Intuitively, the last place participant, who sees that no one is willing to wait longer for the service than she is, may question whether the benefits of continuing to wait outweigh the costs of doing so. The inability to make a downward social comparison – in particular, the absence of a

person who is willing to wait longer for service than she is – calls into question whether continuing her own wait is worthwhile. Since transparency is a requirement for one to know her relative position, these tests focus on the subsample of participants who experienced transparent waits. Column (5) shows that participants who spent the duration of their wait in last place reported lower perceptions of the worth of waiting ( $\theta = -0.555$ ;  $P < 0.01$ ). Column (6) shows that these diminished perceptions of the worth of waiting were especially acute among those who chose to renege from the queue ( $\theta = -2.744$ ,  $P < 0.01$ ), and that after accounting for whether an individual reneged, those who persisted in last place did not report perceptions that were significantly diminished ( $\theta = -0.075$ ,  $P = 0.68$ ). These results are consistent with the idea that part of what may drive the effect of last place aversion in queues is the absence of a target for downward social comparison. When there is no one who is worse off, the last place individual is left feeling uncertain about whether waiting in the queue itself is worthwhile and may choose to defect in response.

### 3.5 Study 5: Last place aversion and service performance (H4)

Studies 1-4 have provided evidence of the individual-level effects of last place aversion on customers. An open question is whether these individual-level effects propagate such that they have system-level consequences. Study 5 addresses this question by comparing the performance of paired treatment and control queues, formed contemporaneously, manipulated such that participants waiting in the treatment queue never feel as though they are in last place. This design enables a direct investigation of whether last place aversion hinders the number of customers who receive service in a queuing system, as hypothesized in H4.

*3.5.1 Participants:* 444 participants (44.3% female,  $M_{age}=38.59$ ,  $SD=11.79$ ) completed this study on the Amazon Mechanical Turk platform in exchange for 25 cents, with an opportunity to earn a 50-cent bonus for waiting in a queue.

*3.5.2 Design and Procedure:* Study 5 replicated the basic online study design, except as participants arrived, treatment and control queues were created contemporaneously, with arriving participants being alternately assigned to join one or the other. As shown in **Figure 3C**, participants were only able to observe the queue to which they were assigned, but constructing pairs of queues in this alternating fashion ensured that arrival rates between paired treatment and control queues were practically identical (**Figure 7**). Moreover, to facilitate comparability across paired treatment and control queues, avatars were randomly selected to represent corresponding arrivals within each pair identically (e.g., the first arrival to each paired control and treatment queue would be represented with the same randomly-selected avatars). These design choices were intended to ensure that paired treatment and control queues would be experienced by

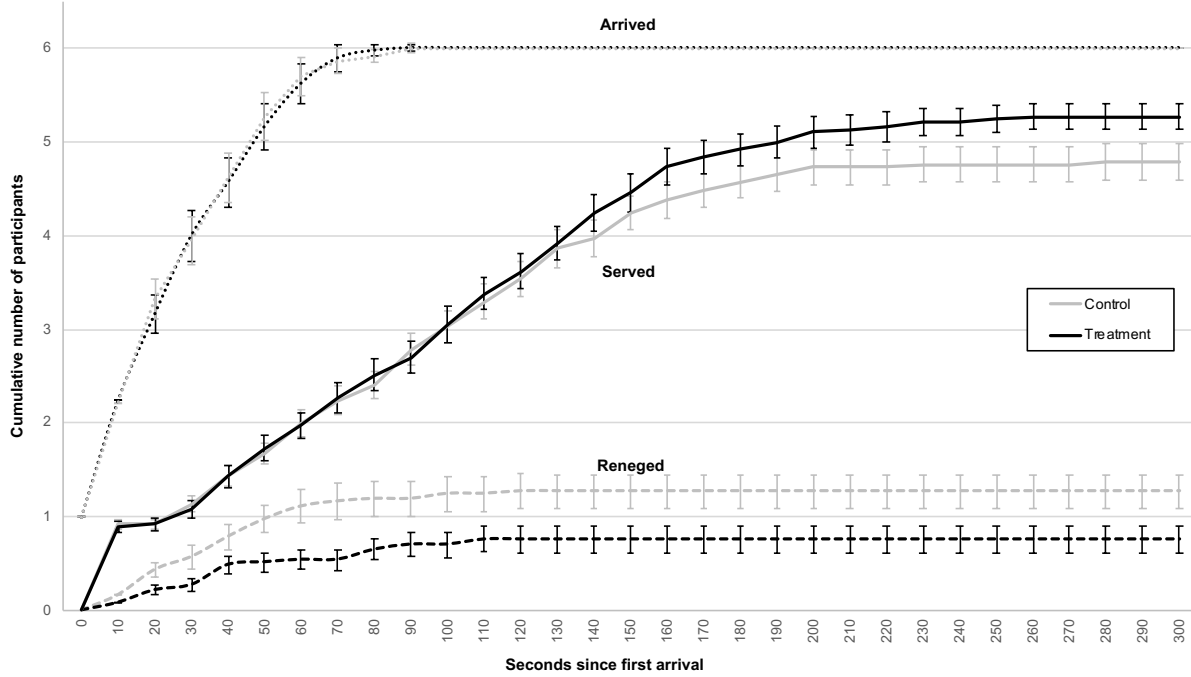
participants to be as similar as possible – except for the experimental manipulation. Namely, the treatment queue in each paired queue system was manipulated so that no participant ever viewed herself to be in last place. Each participant in a treatment queue saw the queue represented exactly as it was formed by the arrival of other participants, except with an extra digital confederate, represented by an additional randomly-chosen avatar, waiting behind her in line. These digital confederates, which were indistinguishable in every way from the avatars of actual participants waiting in the queue, never defected for the duration of the participant's wait. Others, who arrived after, were shown to be waiting in the queue behind the digital confederate. Critically, each participant in a treatment queue could only see her own digital confederate, such that the line appeared to be exactly one person longer than it was in actuality, with that extra person waiting immediately behind the participant. This manipulation was designed to ensure that no participant in a treatment queue ever perceived that she was waiting in last place.

Since there were two conditions in this study, assigned at the queue level, a target of 30 queues per condition was established ex-ante, for the purpose of making system-level comparisons. In order to ensure comparable arrival processes for the paired queues, an exclusion criterion was devised wherein all participants in a queue pair had to arrive within the same 90-second interval. Allowing too much arrival time dispersion would lead to disparities in the formation of the paired queues, reducing their length and their comparability, and would compromise the believability of the experimental manipulation by making the proximate arrival and persistence of the digital confederates seem less likely. Data collection proceeded until at least 30 queue pairs had been collected that satisfied these criteria. The resulting sample included 37 queue pairs, composed of 74 queues and 444 participants.

*3.4.3 Independent measures.* To control for the experience of participants at the queue level, average cycle times of each queue were measured. Participants in treatment queues spent an average of 23.26 seconds responding to the survey ( $SD = 4.88$ ), while participants in control queues spent an average of 23.34 seconds responding ( $SD = 6.38$ ). As in prior studies, data on participants' gender, age, and education level were also collected, and for the analysis are aggregated at the queue level.

*3.4.4 Dependent Measures.* The focal dependent measures for this study were the number of participants who chose to renege from each queue, the number of participants who reneged while in last place, and the number of participants who received service. An average of 1.27 participants reneged from each control queue ( $SD = 0.99$ ), 85.1% of whom were in last place when they reneged. An average of 0.76 participants reneged from the average treatment queue ( $SD = 0.76$ ), 82.1% of whom were in last place when they reneged (i.e., with only the digital confederate waiting behind them). Interestingly, the proportion of participants who departed from the queue who were in last place when they reneged was similar in the

treatment and control queues. However, 40.4% fewer participants left in total in the treatment queues, suggesting that the elimination of last place aversion had a substantive effect on the number of participants who received service. Accordingly, an average of 4.73 participants received service in the control queues ( $SD = 0.99$ ), compared with an average of 5.24 participants in the treatment queues ( $SD = 0.76$ ).



**Figure 7:** Cumulative counts of participants who arrived, reneged, and were served over time (Study 5). Black lines represent treatment queues, where digital confederates were used to ensure participants never felt as though they were in last place. Grey lines represent paired queues without this treatment. Fewer participants reneged and more participants were served in the treatment queues, suggesting that addressing last place aversion has the potential to increase service provision. Standard error bars are displayed.

**3.4.5 Empirical approach.** Counts of the number of participants who reneged, reneged while they were in last place, and were served,  $COUNT_i$ , were modelled using a Poisson regression with robust standard errors clustered at the queue pair level, as modelled in Equation (8) below:

$$\log(E(COUNT_i | x)) = \iota_0 + \iota_1 TREAT_i + \iota_2 CYCLE_i + X_i + \epsilon_i \quad (8)$$

In the equation above,  $TREAT_i$  is a queue-level indicator variable denoting whether the queue was in the treatment condition.  $CYCLE_i$  represents the average cycle time of the queue.  $X_i$  represents the proportion of female participants, and the average ages and education levels of the participants waiting in each queue.

	(1)	(2)	(3)	(4)
	Reneged in last place count	Reneged count	Reneged count	Served count
Treatment indicator	-0.641** (0.286)	-0.572** (0.229)	0.004 (0.127)	0.118** (0.047)
Reneged in last place count			0.830*** (0.086)	
Cycle time	0.024 (0.016)	0.021 (0.013)	-0.008 (0.007)	-0.005 (0.004)
Female percentage	-0.211 (0.607)	-0.107 (0.561)	0.326 (0.291)	0.022 (0.121)
Average age	-0.041* (0.023)	-0.033* (0.019)	-0.002 (0.009)	0.007** (0.003)
Average education	-0.150 (0.127)	-0.076 (0.129)	0.124 (0.090)	0.018 (0.029)
Constant	1.841* (1.093)	1.428 (0.962)	-1.399** (0.685)	1.313*** (0.221)
Model selection	Poisson	Poisson	Poisson	Poisson
Queue-level observations	74	74	74	74

**Table 5:** Eliminating the effects of last place aversion increases the number of customers who are served in a queuing system (Study 5). Owing to the count dependent measures, all columns are estimated with Poisson regression with robust standard errors, clustered at the queue-pair level. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

*3.4.6 Analysis and results.* In **Table 5**, Column 1 demonstrates that, after controlling for the speed and demographic composition of the queue, 47.3% fewer participants in the treatment condition, who because of the digital confederates were not made to experience last place aversion, quit the line when they were in last place ( $\iota = -0.641$ ,  $P < 0.05$ ), i.e., when no actual participants were waiting behind them. Column 2 shows that this reduction contributed to a 43.5% reduction in total reneging from treatment queues ( $\iota = -0.572$ ,  $P < 0.05$ ). Column 3 demonstrates that the reduction in total defections is attributable to the reduction in those who departed the queue while in last place ( $\iota = 0.830$ ,  $P < 0.01$ ), with the treatment having an insignificant effect on reducing other defections ( $\iota = 0.004$ ,  $P = 0.98$ ). Finally, Column 4 shows that 12.5% more people received service in the treatment queues, when the effects of last place aversion were nullified ( $\iota = 0.118$ ,  $P < 0.05$ ). Indeed, untabulated analyses show that, although average service rates were statistically indistinguishable among the treatment and control queues ( $\iota = 0.21$ ,  $P = 0.87$ ), the average peak queue length was 9.5% longer ( $\iota = 0.360$ ,  $P < 0.05$ ) and the average wait of the last to arrive was 13.5% longer ( $\iota = 13.27$ ,  $P < 0.10$ ) in the treated queues. Taken together, these results provide support for H4, suggesting that last place aversion can reduce the number of customers who receive service in a queuing system.



## 4. General discussion

In five studies, conducted in physical and virtual queuing environments, this paper has demonstrated that last place aversion is a potent driver of the experiences of people waiting in queues, driving maladaptive behaviors that hinder service provision. As initial evidence, an observational analysis of a grocery store queuing environment reveals that customers waiting for service are more likely to switch queues when they are in last place, controlling for the number of people ahead of them, how long they have been waiting, and how fast the line is moving (Study 1). Subsequent studies provide converging evidence of the effects of last place aversion, disentangling it from the linear effect of the number of customers behind in the queue, tracing out its implications for experiences and behaviors, identifying a psychological mechanism underlying the effect, and highlighting a potential managerial approach for reducing its impact in practice.

The results demonstrate that waiting in last place can diminish satisfaction and increase perceptions of wait duration (Study 2). The results further reveal that the negative experiences engendered by being in last place affect peoples' behavior. When people are in last place, they are more likely to switch queues (Study 3) and more likely to abandon queues altogether (Study 4). Subsequent analysis reveals that these behaviors can be maladaptive. People who are driven to switch queues while in last place may do so in the absence of strategic reasons for switching, increasing the overall duration of their wait without improving their own satisfaction (Study 3). Moreover, people in last place may be more likely to quit queues when persisting would be advantageous, since being in last place causes them to perceive the wait to be less worthwhile (Study 4). The results provide evidence that actively managing queue transparency, by obscuring from customers when they are in last place, and revealing to customers when they are not in last place, holds promise for reducing abandonment (Study 4), and a system-level analysis shows how nullifying the effects of last place aversion in queues can increase the number of customers who are served in a queuing system (Study 5).

### 4.1 Managerial implications

Although considerable attention is devoted to designing efficient service processes that reduce waiting times and to designing experiences that manage customers' perceptions of what's ahead of them in the queue, this research highlights the counterintuitive and outsized effect of what's taking place behind them – in particular, whether they're in last place. Since the last place customer is readily identifiable in any queue, these dynamics have important practical implications for managers, who can design queuing environments and service practices that account for the powerful effects of last place aversion. This section highlights a handful of important managerial implications that arise from this research.

*4.1.1 Last place aversion undermines experiences and drives maladaptive customer behaviors.* The present research reveals how a factor that is often ignored by service managers – in particular, whether a queuing customer is in last place – can wield considerable influence over how she perceives and engages in queueing environments. In the present research, after controlling for other factors, participants who spent the duration of their wait in last place reported declines in satisfaction that were the same as waiting an additional 70 seconds for service – equivalent to waiting behind two extra people. People queuing in last place were nearly 2.5 times more likely to switch queues, even in the absence of visual information that would have enabled them to switch strategically, which prolonged their wait times and further diminished their satisfaction. Moreover, being in last place more than tripled the probability of defecting from queues in which it would have been most worthwhile to persist. This pattern of results, wherein last place aversion leads to negative outcomes for customers and service firms alike, casts it as an opportunity for mutually advantageous service innovation.

*4.1.2. The effects of last place aversion can be mitigated through thoughtful service design.* Study 4 highlights how queue transparency is one lever that can be used to dampen the negative behavioral effects of last place aversion in queues. What's interesting about this intervention is that it highlights both the demotivating and motivating aspects of last place aversion. Controlling for other factors, when participants could see they were in last place in a less discretionary queuing environment (5 cents offered for quitting), they were 1.5 times more likely to renege than when they could not see they were in last place. In contrast, when participants could not see that there was a person waiting behind them, they were twice as likely to renege than when they could see they were not in last place. This pattern of results suggests that interventions that engage, distract, or obscure one's relative position when they are in last place, and that emphasize one's relative position when they are not, may help motivate individuals to stay the course.

*4.1.3 Addressing last place aversion can lead to more customers receiving service.* Study 5 demonstrates the potential for service firms that are able to successfully address the negative effects of last place aversion. When experiences were managed such that participants were not able to perceive themselves as being in last place, overall defections fell by 43.5%, and 12.5% more people were served, holding constant the arrival and service rates. These results suggest that when increasing the speed of service may be costly or otherwise difficult, a promising alternative may be to allocate resources to improve the experiences of those at the back of the queue – in particular, the experiences of those who are in last place.

## 4.2 Limitations and opportunities for future research

An important caveat is that just as last place aversion may be an innate part of human psychology, it may also be a natural process that regulates the length of queues – a means by which those with the least invested

in the interaction can censor themselves from the system, thereby preventing the realization of exponential queue growth that occurs when the arrival rate exceeds the service rate. In congested queuing environments, reducing abandonment by actively managing last place aversion may lead to longer lines and broader challenges with the operation, which would be a fruitful area for future research. Furthermore, all of the queues examined in this paper were relatively short – with six or fewer people waiting. Future research could examine how last place aversion manifests in longer queues, and how the dynamics of addressing its effects in longer queues may differ. For example, it may be the case that the feeling of being in “last place” in a longer queue expands beyond the individual at the very end of the line. Moreover, future work could delve more deeply into the mechanisms that lead to increased queue switching and abandonment while in last place. Finally, to the extent that alleviating last place aversion makes people persist longer in queues, managers who address it may be able to serve an equivalent number of customers by staffing fewer servers and maintaining a slower service rate. On the other hand, to the extent that increased customer persistence boosts the average queue length, addressing last place aversion may increase balking and reduce the number of customers served. These nested tradeoffs are worthy of future analysis.

Nevertheless, the present results suggest that active management of last place aversion may be beneficial in many contexts and that thoughtful consideration of its effects may improve experiences in performance in a wide array of settings. For example, operations could be designed to facilitate social comparisons among customers in ways that help them more deeply engage in their own medical care, save more for their own retirement, or persist in their pursuit of exercise or education. Similarly, these insights hold promise for improving the productivity and performance of employees. These results provide converging evidence with prior research (Kuziemko et al. 2014; Song et al. 2018) that the desires to get out of and to avoid falling into last place, are powerful motivators that can help drive human behavior.

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## Online appendix for “Last Place Aversion in Queues”

### Study 2: Queue Perceptions, Simulated Queue (H1)

Study 2 used a controlled experiment with simulated queues to test whether waiting in last place (relative to waiting in second-to-last place) affected participants’ wait satisfaction and perceptions of the duration of the wait. Supplemental results presented below demonstrate that the results are robust to including direct controls for wait duration, which itself is highly correlated with starting queue position ( $\rho=0.99$ ), owing to the deterministic nature of the queuing environment, wherein every simulated individual was programmed to take 18 seconds to complete the task (**Appendix Table 1**). Additionally, supplemental results demonstrate that the wait satisfaction results, which were measured using a 7-point Likert scale, and are modelled using OLS regression in the manuscript to facilitate coefficient interpretation are robust when modelled using Ordered Probit regression (**Appendix Table 2**), (Maddala 1983).

	(1)	(2)	(3)	(4)	(5)	(6)	(7)
	Wait satisfaction	Wait satisfaction	Wait satisfaction	Wait estimate	Wait estimate	Wait estimate	Actual wait
Last place indicator	-0.249** (0.122)	-0.247** (0.122)	-0.248** (0.122)	6.822* (3.849)	6.677* (3.856)	6.793* (3.857)	0.150 (0.264)
Starting queue position	-0.297*** (0.042)		-0.111 (0.365)	18.815*** (1.345)		15.387** (7.450)	18.036*** (0.106)
Wait duration		-0.016*** (0.002)	-0.010 (0.020)		1.032*** (0.074)	0.190 (0.407)	
Female indicator	0.199 (0.122)	0.194 (0.122)	0.196 (0.122)	-4.172 (3.892)	-3.846 (3.904)	-4.110 (3.919)	-0.330 (0.265)
Age	0.013*** (0.005)	0.013*** (0.005)	0.013*** (0.005)	0.037 (0.129)	0.037 (0.129)	0.037 (0.129)	0.001 (0.009)
Education	-0.059 (0.048)	-0.056 (0.048)	-0.057 (0.048)	-2.060 (1.391)	-2.208 (1.389)	-2.087 (1.396)	0.141* (0.082)
Constant	5.939*** (0.292)	6.013*** (0.295)	5.989*** (0.305)	4.308 (7.961)	-0.042 (7.980)	3.392 (7.907)	4.819*** (0.494)
Observations	499	499	499	499	499	499	499
Adjusted R-squared	0.106	0.107	0.105	0.290	0.287	0.288	0.987

**Appendix Table 1:** Participants were less satisfied and perceived marginally longer waits when they spent the duration of their wait in last place, although waiting in last place had no impact on actual wait duration; after controlling for wait duration (Study 2). All models are estimated with OLS regression with robust standard errors shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

	(1)	(2)	(3)
	Wait satisfaction	Wait estimate	Actual wait
Last place indicator	-0.191** (0.094)	6.822* (3.849)	0.150 (0.264)
Starting queue position	-0.237*** (0.034)	18.815*** (1.345)	18.036*** (0.106)
Female indicator	0.175* (0.095)	-4.172 (3.892)	-0.330 (0.265)
Age	0.009** (0.004)	0.037 (0.129)	0.001 (0.009)
Education	-0.053 (0.038)	-2.060 (1.391)	0.141* (0.082)
Cut point 1	-2.810*** (0.283)		
Cut point 2	-2.439*** (0.263)		
Cut point 3	-1.956*** (0.254)		
Cut point 4	-1.203*** (0.239)		
Cut point 5	-0.492** (0.236)		
Cut point 6	0.157 (0.237)		
Constant		4.308 (7.961)	4.819*** (0.494)
Observations	499	499	499
Model	Ordered Probit	OLS	OLS
Pseudo/Adjusted R-squared	0.0382	0.290	0.987

**Appendix Table 2:** Participants were less satisfied and perceived marginally longer waits when they spent the duration of their wait in last place, although waiting in last place had no impact on actual wait duration, using ordinal probit regression (Study 2). Column 1 is modelled with ordered probit regression and Columns 2-3 are modelled with OLS regression with robust standard errors shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

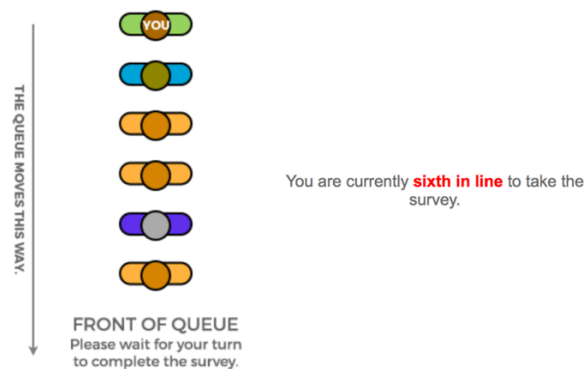
### Appendix Study: Queue Perceptions, Actual Queue (H1)

Study 1 revealed that there is a behavioral tendency for customers to switch queues when they are in last place, hinting that being in last place may have a substantive effect on customer experiences, independent of other queuing dynamics. Study 2 explores the effect of last place aversion on customer experiences – specifically, on how being in last place affects customer perceptions of wait duration and wait time satisfaction. To do so, participants were recruited online to wait in an actual queue to complete a five-question survey. As such, this online experiment, and the others that follow, served as field tests of the experiences and behaviors of people waiting in actual queues, but the digital nature of these experiments facilitated higher fidelity data collection and better experimental control than could be achieved with physical queuing environments.

Importantly, apart from the experimental manipulations of interest, which were applicable are described in detail in the methods sections of each of the studies that follow, these digital queues were allowed to evolve naturally, in accordance with the behaviors of the people waiting in them. This behavioral variation is instrumented and controlled for in the econometric specifications presented, which facilitates clean identification of the effects of interest and high internal validity, but the natural evolution that is afforded by studying actual queues, rather than simulated ones, leads to greater external validity of the results that follow.

*3.2.1 Participants.* 301 participants (40.2% female,  $M_{age}=34.67$ ,  $SD=11.50$ ) completed this experiment on the Amazon Mechanical Turk platform in exchange for 50 cents (Buhrmester, Kwang, and Gosling 2011; Mason and Suri 2012). Participants were recruited to take part in a five-question survey, and were informed that completing the survey would take 2-5 minutes.

*3.2.2 Design and procedure.* As each participant arrived and completed the informed consent process, they were directed to join a first-come, first-served virtual queue to answer a five-question survey. In order to manage their wait duration, each virtual queue's capacity was capped at a maximum of six participants. When the sixth participant was assigned to a particular queue, the queue was closed to new arrivals, and a new queue was opened. This design feature ensured that participants never waited for more than five other participants to complete the survey. It also ensured as-if random variation in participants' relative positions in the queue. The target sample size of 300 participants was chosen in order to capture observations of at least 50 participants who experienced the full duration of their wait in last place.



**Appendix Figure 2:** Queue display for virtual field study. Participants were able to see their own position in the queue, as well as those of other participants, tracking the queue state in real time.

As participants waited to complete the survey, they were able to observe their current position and progress in the queue, depicted from above, progressing from the top to the bottom of the screen



(**Appendix Figure 2**). Each participant's current position in the queue was represented pictorially, as well as in words – for example, “You are currently fourth in line to take the survey.” Each participant saw himself or herself represented as one of six randomly selected, stylized icons, depicting the head and shoulders of a person standing in line with the word “YOU” superimposed on top of it. Other participants were represented with similar randomly selected icons that varied by color. Throughout the experiment, each participant's avatar was consistently represented to others in their queue.

Participants were directed to take the survey when the participant in front of them in the queue completed it. Importantly, the design of this study diverges from the others in the manuscript by not having an interstitial step where participants had to click a button within 10 seconds to progress to the survey. The average participant spent 35.49 seconds responding to the survey questions, but some participants lingered for far longer ( $SD = 96.11$  seconds). In order to manage the experiment duration for participants waiting behind particularly slow respondents, the experiment also allowed the next participant in line to advance if the person taking the survey had spent more than 60 seconds responding. 93.36% of participants completed the survey in less than 60 seconds.

While participants were waiting for their turn to take the survey, a digital display of the queue faithfully represented their progress. If a participant surfed away from the experiment, other participants in the queue observed their departure, and those waiting behind the departing participant advanced in the queue. Similarly, as participants in the front of the queue exited to take the survey, their departure was visible to the participants waiting behind them. When the queue updated, the graphical and textual representations of their position in the queue were updated too.

*3.2.3 Independent measures.* As participants waited to complete the survey, data were recorded every ten seconds on the number of participants in front of them in the queue ( $M = 1.82$ ,  $SD = 0.93$ ), the average number of participants behind them in the queue ( $M = 1.32$ ,  $SD = 1.07$ ), whether they were in last place ( $M = 0.44$ ,  $SD = 1.07$ ), and the number of seconds that had elapsed since they joined the queue. Given that the objective of this experiment was to test how positional and queue-related factors influence how people perceive and experience waiting, these data were aggregated to the queuing experience level, so as to best characterize the distinct nature of each participant's wait. The maximum number of people each participant experienced in front of them in the queue (e.g., the queue length at arrival) ( $M = 2.47$ ,  $SD = 1.71$ ) and behind them in the queue ( $M = 1.89$ ,  $SD = 1.52$ ) were encoded, and an indicator variable was created noting which participants spent the entirety of their waits in last place ( $M = 0.24$ ,  $SD = 0.43$ ). The amount of

time each participant waited in the queue ( $M = 58.82$  seconds,  $SD = 37.02$  seconds), and the average cycle time of the queue in which each participant waited ( $M = 35.49$ ,  $SD = 39.13$ ) was also captured.

*3.2.4 Survey measures.* After waiting in the queue, participants were asked to rate their wait satisfaction, “Please rate your overall satisfaction with the length of your wait, on a scale of 1-7 (1= extremely dissatisfied; 7 = Extremely satisfied),” ( $M = 4.34$ ,  $SD = 1.64$ ) and to estimate the duration of their wait, “Please estimate how long you waited to take the survey (in seconds),” ( $M = 82.93$ ,  $SD = 65.45$ ). Due to the nature of the free text response field, this average was skewed upward by outliers. The maximum wait time experienced by any participant in this study was 195 seconds. Participants whose estimates exceeded 900 seconds ( $N = 2$ ), where there existed a discontinuous break in wait time estimates, were excluded from the analysis, though the results are substantively similar if all observations are included. Participants were also asked to report their gender, their year of birth, and the highest level of education they had completed. Participants who left survey questions blank ( $N = 3$ ) were also excluded, resulting in a final sample of 296 participants (40.9% female,  $M_{age}=34.63$ ,  $SD=11.49$ ).

*3.2.5 Empirical strategy.* As depicted in Equation 2, ex-post perceptions of the queue – participants’ perceptions of how long they waited, and how satisfied they were with their wait – were modeled cross-sectionally as a function of positional and queue-related dynamics they experienced during their wait:

$$PERCEPTIONS_i = f \left( \begin{matrix} LAST_i + AHEAD_i + AHEAD_i^2 + \\ BEHIND_i + BEHIND_i^2 + WAIT_i + \\ CYCLE_i + LAST_i \times WAIT_i + X_i + \epsilon_i \end{matrix} \right) \quad (1)$$

In the above specification,  $LAST_i$  is an indicator variable denoting whether the participant spent the full duration of their wait in last place.  $AHEAD_i$  and  $AHEAD_i^2$ , and  $BEHIND_i$  and  $BEHIND_i^2$  captured the non-linear effect of the maximum number of people ahead and behind the participant during their waiting experience,  $WAIT_i$  captured the total duration of their wait, and  $CYCLE_i$  captured the average cycle time of the queue in which they waited.  $LAST_i \times WAIT_i$  captures the interaction between waiting in last place and the duration of the wait – to determine whether the effects of last place aversion on perceptions depends on the amount of time one waits in last place. Finally,  $X_i$  represents a vector of control variables, denoting the participant’s gender, age, and level of education. Controlling for these factors, participants who spent their queuing experience in last place were hypothesized to be less satisfied than those who waited in other parts of the queue, which serves as the test of H1.

3.2.6 *Analysis and results.* Wait estimates and wait satisfaction were modeled using OLS regression with robust standard errors (**Appendix Table 3**). The results are substantively similar when the wait satisfaction measure, which was captured on a 7-point Likert scale is modelled using Ordered Probit regression (Maddala 1983) (**Appendix Table 4**), but the OLS specifications are featured as the primary analysis to facilitate coefficient interpretation.

As shown in **Appendix Table 3**, Column 1, the proportion of time a participant spent in last place had no effect on their estimate of the duration of their wait ( $\beta = 4.990, P = 0.647$ ), suggesting that being in last place does not make a wait feel longer. The most significant predictor of a participant's estimate of their wait time was the actual duration of their wait ( $\beta = 1.266, P < 0.01$ ). Notably, participants in this setting overestimated the time they spent waiting in line, indicated by the coefficient on wait time being greater than 1 ( $F(1,287)=6.57, P=0.01$ ). A rich stream of empirical queuing literature has found that people both overestimate and underestimate wait times (for an excellent review, see Allon and Kremer, 2019), but that overestimation, consistent with what is observed here, is often the norm when waits are unoccupied and delay announcements are not provided, as was the case in Study 2. Interestingly, controlling for other factors, the average cycle time of the queue had a negative and significant relationship with perceived wait time ( $\beta = -0.134, P = 0.05$ ). Perhaps the salience of spending more time engaged in the service process at the front of a queue dampens perceptions of the amount of time one waited to be served, after the actual duration of their wait has been controlled.

Columns 2-3 begin to disentangle the determinants of wait time satisfaction. Column 2 shows that satisfaction is negatively affected by the duration of the wait ( $\beta s < -0.15, P s < 0.01$ ). In Column 2, participants reported marginally lower levels of satisfaction when there had been more people ahead of them in the queue ( $\beta = -0.164, P < 0.10$ ), and when there had been more people behind them in the queue ( $\beta = -0.146, P < 0.10$ ). Column 3 demonstrates the non-linearity of these effects. Controlling for other factors, participants were less satisfied with their wait when there had been more people in front of them ( $\beta = -0.634, P < 0.01$ ), but at a decreasing rate ( $\beta = 0.113, P < 0.01$ ). Moreover, consistent with prior research on downward social comparison (Zhou and Soman 2003), participants reported higher levels of satisfaction when there were more people behind them in the queue ( $\beta = 0.722, P < 0.01$ ), but this effect too was attenuated as the number of people behind the participant increased ( $\beta = -0.183, P < 0.01$ ). In both specifications, the average cycle time of the queue proved to be an insignificant determinant of satisfaction, likely owing to its strong mathematical dependence on the number of people in front of the focal participant, and the wait duration that participant experienced ( $\beta s < 0.003, P s > 0.213$ ) (Little 1961).

	(1)	(2)	(3)	(4)	(5)	(6)
	Wait Estimate	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction
Wait time	1.266*** (0.104)	-0.015*** (0.004)	-0.018*** (0.004)	-0.018*** (0.004)	-0.017*** (0.004)	-0.025*** (0.005)
Always in last place	4.990 (10.890)			-0.900* (0.468)	-1.190*** (0.273)	-2.078*** (0.425)
Always in last place × wait time						0.016** (0.007)
Maximum number ahead	-4.679 (3.209)	-0.164* (0.099)	-0.634*** (0.171)	-0.603*** (0.177)	-0.528*** (0.178)	-0.146 (0.258)
Maximum number ahead <sup>2</sup>			0.113*** (0.038)	0.107*** (0.039)	0.089** (0.038)	0.009 (0.052)
Maximum number behind	-1.506 (3.712)	-0.146* (0.082)	0.722*** (0.242)	0.061 (0.447)	-0.297*** (0.090)	-0.359*** (0.090)
Maximum number behind <sup>2</sup>			-0.183*** (0.051)	-0.068 (0.086)		
Cycle time	-0.134** (0.068)	0.003 (0.002)	0.002 (0.002)	0.003 (0.002)	0.003 (0.002)	0.003 (0.002)
Female indicator	4.519 (6.094)	0.221 (0.179)	0.183 (0.178)	0.168 (0.177)	0.169 (0.176)	0.174 (0.175)
Age	0.399 (0.364)	0.018** (0.008)	0.018** (0.008)	0.017** (0.008)	0.016** (0.008)	0.019** (0.008)
Education	1.032 (2.369)	-0.058 (0.067)	-0.070 (0.066)	-0.071 (0.065)	-0.070 (0.064)	-0.066 (0.064)
Constant	7.406 (19.388)	5.307*** (0.485)	5.115*** (0.496)	5.920*** (0.623)	6.216*** (0.473)	6.426*** (0.465)
Observations	296	296	296	296	296	296
Adjusted R-squared	0.398	0.186	0.212	0.219	0.220	0.237

**Appendix Table 3:** Estimate of wait time is unaffected by the proportion of time a participant spent in last place, but their wait satisfaction is negatively affected by the amount of time they spent in last place (Appendix Study). All models are estimated with OLS regression and robust standard errors, are shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

	(1)	(2)	(3)	(4)	(5)	(6)
	Wait Estimate	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction	Wait Satisfaction
Wait time	1.266*** (0.104)	-0.010*** (0.003)	-0.013*** (0.003)	-0.013*** (0.003)	-0.012*** (0.003)	-0.019*** (0.004)
Always in last place	4.990 (10.890)			-0.645* (0.344)	-0.893*** (0.202)	-1.600*** (0.325)
Always in last place × wait time						0.013*** (0.005)
Maximum number ahead	-4.679 (3.209)	-0.125* (0.069)	-0.538*** (0.136)	-0.515*** (0.141)	-0.446*** (0.135)	-0.156 (0.193)
Maximum number ahead <sup>2</sup>			0.096*** (0.029)	0.092*** (0.030)	0.076*** (0.028)	0.015 (0.038)
Maximum number behind	-1.506 (3.712)	-0.107* (0.059)	0.568*** (0.185)	0.091 (0.339)	-0.219*** (0.068)	-0.272*** (0.069)
Maximum number behind <sup>2</sup>			-0.142*** (0.039)	-0.059 (0.066)		
Cycle time	-0.134** (0.068)	0.002 (0.002)	0.002 (0.002)	0.002 (0.002)	0.002 (0.002)	0.002 (0.002)
Female indicator	4.519 (6.094)	0.150 (0.125)	0.125 (0.127)	0.116 (0.126)	0.118 (0.126)	0.123 (0.126)
Age	0.399 (0.364)	0.014** (0.006)	0.014** (0.006)	0.013** (0.006)	0.013** (0.006)	0.015** (0.006)
Education	1.032 (2.369)	-0.036 (0.047)	-0.045 (0.047)	-0.047 (0.046)	-0.045 (0.046)	-0.042 (0.046)
Cut point 1		-2.422*** (0.407)	-2.341*** (0.413)	-2.932*** (0.510)	-3.181*** (0.422)	-3.389*** (0.421)
Cut point 2		-1.837*** (0.376)	-1.752*** (0.384)	-2.343*** (0.491)	-2.593*** (0.400)	-2.792*** (0.404)
Cut point 3		-1.337*** (0.364)	-1.251*** (0.373)	-1.840*** (0.479)	-2.091*** (0.385)	-2.287*** (0.390)
Cut point 4		-0.581 (0.354)	-0.483 (0.365)	-1.065** (0.470)	-1.315*** (0.373)	-1.501*** (0.376)
Cut point 5		0.133 (0.346)	0.257 (0.359)	-0.314 (0.462)	-0.565 (0.362)	-0.737** (0.365)
Cut point 6		0.774** (0.347)	0.926** (0.360)	0.357 (0.457)	0.103 (0.358)	-0.057 (0.361)
Constant	7.406 (19.388)					
Observations	296	296	296	296	296	296
Model	OLS	Ordered Probit	Ordered Probit	Ordered Probit	Ordered Probit	Ordered Probit
Adjusted/Pseudo R-squared	0.398	0.0608	0.0728	0.0761	0.0752	0.0828

**Appendix Table 4:** Estimate of wait time is unaffected by the proportion of time a participant spent in last place, but their wait satisfaction is negatively affected by the amount of time they spent in last place (Appendix Study). Model 1 is estimated with OLS regression, and Models (2-6) are estimated with Ordered Probit regression. Robust standard errors, are shown in parentheses. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.

Importantly, Column 4 demonstrates that this non-linear effect of the number of people behind the participant on wait time satisfaction was attributable to last place aversion. Introducing an indicator variable for participants who spent the duration of their wait in last place revealed a negative, and marginally significant relationship with wait satisfaction ( $\beta = -0.900$ ,  $P < 0.10$ ), while reducing the binomial coefficients on the number of people behind the participant to insignificance, ( $\beta = 0.061$ ,  $P = 0.89$ ) and ( $\beta = -0.068$ ,  $P = 0.43$ ), respectively. Column 5 shows that after controlling for whether the participant spent

the duration of their wait in last place, the effect of the number of customers behind is better modeled as a linear term. Interestingly, that term reveals that once a waiting participant is no longer in last place, having a second and third and fourth person waiting behind her actually *diminishes* her satisfaction ( $\beta = -0.297$ ,  $P < 0.01$ ). Perhaps once a person is able to make a downward social comparison, because they are no longer in last place, the effect of adding incrementally more people behind them in the line serves to reduce satisfaction by making the number of people waiting, and in turn, the wait itself, more salient. This pattern of results is consistent with the idea that the absence of a target for downward social comparison may be the psychological process that explains the aversive effects of last place aversion in queues. Once a person is no longer in last place, however, a growing queue behind may simply serve as a reminder of the inability of the service process to keep up with arrivals.

After removing the non-linear term from the model, as described above, the negative relationship between waiting in last place and satisfaction with the wait intensifies considerably. Controlling for other factors, participants who spent the duration of their wait in last place reported wait time satisfaction that was lower on average than participants who were not in last place ( $\beta = -1.190$ ,  $P < 0.01$ ). This result offers support for H1, and distinguishes the effects of last place aversion from the linear effect of the number of people waiting behind in a queue.

These results are interesting, since the sizable effects of last place aversion persist after controlling for the time the participant waited in the line to complete the survey. This suggests that being in last place is, in and of itself, what's diminishing customer experiences – not the prolonged wait duration that's associated with being in last place. What's more, these effects are particularly interesting because of their magnitude. The drop in wait time satisfaction experienced by a last place participant is the same as the drop experienced by participants who waited 70 additional seconds to take the survey – the equivalent of waiting behind two additional people. The results suggest that from a satisfaction perspective, participants would rather wait in a substantively longer queue to avoid waiting in last place.

To test whether the pain of waiting in last place intensifies or diminishes as time progresses, Column 6 incorporates an interaction term between the participant's total wait duration and the indicator of whether they spent the entirety of their wait in last place. The results suggest that although wait satisfaction diminishes for everyone who experiences longer waits, the differential negative impact of being in last place on satisfaction is most detrimental for short waits ( $\beta = -2.08$ ,  $P < 0.01$ ), and its negative effects diminish over time ( $\beta = 0.016$ ,  $P < 0.05$ ). Practically speaking, this result suggests that interventions that target last place individuals early in their waits might be the most fruitful for improving waiting experiences, and perhaps for forestalling counterproductive switching and renegeing behaviors.

These results highlight one way that last place aversion in queues may reduce customer satisfaction. Consistent with H1, the mere circumstance of waiting in last place, which is neither under the control of the customer nor the firm, is enough to meaningfully diminish wait satisfaction. Studies 3-5 in the manuscript investigate how and why the negative experiences attributed to being in last place may translate to behaviors that might further affect service performance for customers and firms alike. In particular, they explore the effects of last place aversion on switching and renegeing behaviors – the customer choices to switch from one queue to another, or to opt out of the queue and forgo the service altogether. They also investigate the promise of a managerial intervention – queue transparency – for attenuating the negative effects of last place aversion in queues – as well as the effect of last place aversion on the capacity of queuing systems.

### Study 3: Last place aversion and switching behavior (H2)

Study 3 investigated switching behavior in an online queuing environment. In the tabulation presented in **Appendix Table 5**, “comparison” is the personal comparison variable, which is used as a control in the regression in Column (2) of Table 3. It is calculated as the difference between the number of people in front of a participant, and the number of people in the alternative queue (e.g., the number of people who would be in front of the participant if they switched). In aggregate, people chose to switch queues in 6.4% of the observations analyzed in Study 3. However, as the tabulation shows, people were considerably more likely to choose to switch to a shorter queue ( $27/116 = 23.3\%$  probability of switching to a shorter queue) than to switch to a longer one ( $108/2,495 = 4.3\%$  probability of switching to a longer queue).

Comparison	Did not switch		Switched		Total	
	n	%	n	%	n	%
-6	135	99.3%	1	0.7%	136	100.0%
-5	283	99.6%	1	0.4%	284	100.0%
-4	418	99.3%	3	0.7%	421	100.0%
-3	524	98.5%	8	1.5%	532	100.0%
-2	557	94.9%	30	5.1%	587	100.0%
-1	470	87.9%	65	12.1%	535	100.0%
0	169	79.0%	45	21.0%	214	100.0%
1	46	73.0%	17	27.0%	63	100.0%
2	22	81.5%	5	18.5%	27	100.0%
3	14	82.4%	3	17.6%	17	100.0%
4	7	77.8%	2	22.2%	9	100.0%

**Appendix Table 5:** Descriptive statistics on the decision to switch queues (Study 3). The comparison variable represents the difference between the number of people in front of a participant, and the number of people in the alternative queue (e.g., the number of people who would be in front of the participant if they switched). Negative numbers represent observations where the participant would give up positional advantage by switching. The results demonstrate that people were considerably more likely to switch into a shorter queue than into a longer one.

Additionally, **Appendix Table 6**, presented below, augments Table 3 presented in the manuscript, by using ordered probit regression to model participant responses to the wait satisfaction question, which was captured using a 7-point Likert scale. The results offer consistent evidence.

	(1)	(2)	(3)	(4)
	Pr(Switch)	Pr(Switch)	Total wait	Wait satisfaction
Last place indicator	1.404*** (0.327)	1.217*** (0.330)		
Two behind indicator	-0.820 (0.550)	-1.003* (0.595)		
Three behind indicator	-0.723 (0.683)	-0.408 (0.723)		
Four behind indicator	-	-		
Five behind indicator	-0.899 (1.081)	0.066 (1.135)		
Number ahead	-0.313 (0.252)	-0.477* (0.272)		
Number ahead <sup>2</sup>	0.076 (0.048)	0.066 (0.049)		
Last place switch indicator			27.220*** (6.988)	-0.525** (0.226)
Other switch indicator			41.252*** (11.067)	-0.328 (0.327)
Initial number ahead			3.946 (4.032)	-0.444** (0.173)
Initial number ahead <sup>2</sup>			-0.595 (0.583)	0.055** (0.024)
Imputed wait time without switching			1.037*** (0.079)	-0.006** (0.003)
Time since joining queue	-0.020* (0.011)	-0.017 (0.012)		
Time since joining queue <sup>2</sup>	0.000 (0.000)	0.000 (0.000)		
Cycle time	-0.015 (0.014)	-0.011 (0.014)		
Paired queue cycle time		-0.022 (0.014)		
Paired queue comparison		0.407*** (0.079)		
Female indicator	-0.538 (0.389)	-0.445 (0.380)	0.519 (3.047)	0.350*** (0.127)
Age	-0.064*** (0.019)	-0.065*** (0.019)	-0.041 (0.120)	-0.004 (0.005)
Education	-0.006 (0.128)	0.051 (0.127)	0.961 (0.935)	-0.052 (0.044)
Cut point 1				-3.309*** (0.328)
Cut point 2				-2.749*** (0.314)
Cut point 3				-2.011*** (0.296)
Cut point 4				-1.142*** (0.286)
Cut point 5				-0.570** (0.280)
Cut point 6				0.039 (0.287)
Constant	-0.638 (0.960)	0.762 (0.996)	-9.252 (6.995)	
Observations	2,316	2,270	297	296
Model type	RE Logit	RE Logit	OLS	Ordered Probit
Adjusted/Pseudo R-squared			0.869	0.123
Number of participants	225	217	297	296

**Appendix Table 6:** Being in last place significantly increases switching behavior, and switching prolongs wait duration, undermining satisfaction (Study 3). Robust standard errors, clustered at the individual level, are shown in parentheses in Columns 1-2. Robust standard errors are shown in parentheses in Columns 3-4. Columns 1-2 are modelled using Random Effects Logit regressions, Column 3 is modelled using OLS regression, and Column 4 is modelled using Ordered Probit regression. Adjusted R-squared metrics cannot be calculated for random effects logistic models, and are accordingly not provided in Columns 1-2 \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.



## Study 4: Last place aversion and reneging behavior (H3)

Study 4 investigated reneging behavior. The supplementary table presented below augments Table 4 presented in the manuscript, by using ordered probit regression to model participant responses to the worth of waiting question, which was captured using a 7-point Likert scale. The results presented in **Appendix Table 7** offer consistent evidence.

	(1)	(2)	(3)	(4)	(5)	(6)
	Pr(Renege)	Pr(Renege)	Pr(Renege)	Pr(Renege)	Worth waiting	Worth waiting
Last place indicator	2.272* (1.240)	2.915** (1.223)	0.668 (0.796)	0.493 (0.782)	-0.365*** (0.127)	-0.067 (0.135)
Two behind indicator	-0.792 (1.904)	0.026 (0.553)	0.001 (0.443)	-0.010 (0.351)	-0.051 (0.134)	-0.157 (0.133)
Three behind indicator	-0.743 (2.211)	0.706 (0.672)	0.685 (0.502)	0.677* (0.398)	-0.174 (0.155)	-0.232 (0.159)
Four behind indicator	-4.182 (3.637)	0.367 (0.890)	0.380 (0.719)	0.351 (0.571)	-0.290 (0.202)	-0.275 (0.199)
Five behind indicator			-0.600 (1.196)	-0.877 (1.151)	-0.143 (0.247)	-0.330 (0.262)
Reneging indicator						-1.886*** (0.197)
Transparency				-1.865* (1.069)		
Transparency x last place				2.654** (1.156)		
Compensation to quit	0.131*** (0.033)	0.143** (0.059)	0.088*** (0.017)	0.091*** (0.018)	-0.015*** (0.003)	-0.011*** (0.003)
Last place indicator x compensation	-0.087** (0.034)	-0.103** (0.042)	-0.018 (0.020)	-0.019 (0.020)		
Two behind indicator x compensation	0.024 (0.051)					
Three behind indicator x compensation	0.042 (0.060)					
Four behind indicator x compensation	0.123 (0.083)					
Five behind indicator x compensation	0.000 (0.000)					
Transparency x compensation				0.048 (0.029)		
Transparency x last place x compensation				-0.082** (0.032)		
Number ahead	1.393*** (0.406)	1.356* (0.732)	0.062 (0.295)	0.566** (0.235)	-1.116*** (0.190)	-0.235 (0.210)
Number ahead <sup>2</sup>	-0.201*** (0.064)	-0.195* (0.105)	-0.017 (0.046)	-0.088** (0.036)	0.168*** (0.026)	0.031 (0.029)
Time since joining queue	0.005 (0.015)	-0.004 (0.051)	-0.016 (0.011)	-0.009 (0.009)	0.010*** (0.003)	-0.011*** (0.004)
Time since joining queue <sup>2</sup>	-0.000 (0.000)	-0.000 (0.000)	-0.000 (0.000)	-0.000 (0.000)	-0.000*** (0.000)	0.000 (0.000)
Cycle time	-0.022 (0.042)	-0.020 (0.040)	-0.042 (0.039)	-0.034 (0.028)		
Female indicator	-0.918** (0.458)	-0.833 (0.603)	-0.786** (0.335)	-0.825*** (0.265)	0.210** (0.084)	0.193** (0.084)
Age	0.002 (0.021)	0.001 (0.019)	-0.002 (0.015)	-0.000 (0.012)	0.013*** (0.004)	0.014*** (0.004)
Education	0.037 (0.161)	0.038 (0.146)	-0.021 (0.136)	0.012 (0.102)	-0.016 (0.031)	-0.001 (0.031)
Cut point 1					-2.986*** (0.383)	-3.130*** (0.387)
Cut point 2					-2.474*** (0.374)	-2.540*** (0.374)
Cut point 3					-2.096*** (0.372)	-2.091*** (0.368)
Cut point 4					-1.681*** (0.373)	-1.610*** (0.370)
Cut point 5					-1.126*** (0.372)	-0.995*** (0.370)
Cut point 6					-0.277 (0.372)	-0.085 (0.371)
Constant	-10.318*** (1.989)	-10.136** (4.734)	-5.700*** (1.487)	-6.844*** (1.234)		
Observations	4,949	4,949	5,244	10,208	670	670
Number of participants	665	665	753	1,418	670	670
Model selection	RE Logit	RE Logit	RE Logit	RE Logit	Ordered Probit	Ordered Probit
Sample selection	Transparent	Transparent	Non-Transparent	Full sample	Transparent	Transparent
Pseudo R-squared					0.055	0.104

**Appendix Table 7:** Reneging behavior is significantly increased by being in last place (Study 4). Columns 1-4 are estimated with random effects logistic models. Columns 5-6 are estimated with Ordered Probit models. Pseudo R-squared measures are provided for Columns 5-6. Such metrics cannot be calculated for random effects logistic models, and are accordingly not provided in Columns 1-4. All models are estimated with robust standard errors, which are shown in parentheses, with Columns 1-4 clustered at the individual level. \*, \*\*, and \*\*\*, signify significance at the 10%, 5%, and 1% levels respectively.